OPTIMAL FARM PLANS FOR SMAT,L HOLDFR FARMERS PRACTISING IRRIGATION ALONG YATTA CANAL OF MACHAROS DISTRICT, RPNYA: A LIHEAR PROGRAMMING APPROACH

## By

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DECLARATION
I, Samson M. Nguta, declare that this thesis is my original work and has not been presented for a degree in any University.


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This thesis has bern submitted for examination with ourapproval as University Supervisors.


Dr. K. C . Sharma.

Signature.
 Professor 0. L. E. Muatia. May, ${ }^{2 q} 190$

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## ABSTRACT:

The main objective of the study was to develop optimal farm plans for irrigation farmers along the Yatta canal who are permitted to irrigate a maximum area of 0.5 hectare per growing season. Other objectives of the study were:

1) to describe the existing farming system in the study area 2) to identify the main constraints faced by the irrigation farmers along the Yatta canal.

A random sample of 60 farmers was used in this study. Optimal farm plans were developed using linear programming farm planning technique and are meant to guide the farmers in their farming activities to ensure maximization of farm income. This would mean that maximum benefits are gained from the irrigation water.

The study tested the hypothesis that the present level of resource use is sub-optimal and hence higher farm income could be realized by reorganizing the existing crop enterprises. Total gross margin comparisons of the developed optimal farm plans and the existing farming system are used to test the hypothesis. When the comparisons considered the existing farming system which is based on an average farm, net increments in total gross margin resulting from the optimal farm plans were found to range between 27.6 percent and 120.6 percent. Similar comparisons made under the assumption that the available irrigable land is fully utilized in the existing farming system had net increments
ranging hetween 7.5 percent and 30.8 percent. Based on this findings the hypothesis was accepted.

Working capital was found to be a limiting resource in all the farm models considered. Results of the study showed that the marginal value product for capital ranged between Kshs. 1.483 and Kshs. 12.70. Such findings imnly that the increments to every additional Kenya Shilling of working capital invested in the optimal farm plans are higher than the current lending rate of $14 \%$ charged by lending institutions for agricultural loans. Assuming other factors constant, it is therefore economically feasible to obtain credit from the lending institutions.

Both irrigated and unirrigated land were found to be limiting resources in most of the farm plans. Comparatively irrigated land had higher shadow prices than the unirrigated land in most of the cases. In most of the developed farm models the irrjgated land shadow price values are more than Kshs. 25,000, with the highest observed value being Kshs. 32.606. For the unirrigated land, only two of the developed farm models have shadow price values above Kshs. 5.000, with the highest observed value being Kshs. 5652. These findings mean irrigated land could be increased at the expense of unirrigated land if conditions allowed.

## CHAPTER 1

## INTROLUC:TION

### 1.1 Background Information :

Alleviation of poverty is one issue that has been of great concern to the Kenya Government. This is evident in various Kenya's Development Flans. The current 1989-1993 Development Plan under the theme "Participation for progress" cites poverty and unemployment among the worst results of inadequate development. The Plan notes that Kenyans must be actively involved in productive work in order to improve their own welfare and ensure that basic needs are met. In the 1984 - 1988 development plan, it was noted that poverty alleviat ion must claim the highest priority in the allocation of public sector resources. The 1979-1983 Development Plan had its primary objective as the "alleviation of poverty:" and priority being given to rural development. The plan noted that rural development will in a large measure be achieved through higher incomes, more rural employment and improved diets. While rural development includes non-agricultural production, provision of welfare services and improved infrastructure, it is agricultural production which provides the core to rural development (Republic of Kenya, 1979).

Some of the strategies outlined for handling the poverty problem are: devoting resources to inexpensive and easily repairable torhnologies which will promote small scale farm productivity; credit and extension to be directed more
vigorously to small scale farmers; improvement of rural access roads to enhance the flow of farm inputs to farmers and expand the amount of farm produce that reach the markets (Republic of Kenya 1979, op cit.). This further shows that the agricultural sector and especially the small scale holdings are the most relevant in as far as handling the poverty problem is concerned. The agricultural sector qualifies for the challenge since it employs 70 percent of the total Kenyan population with small scale holdings accounting for 85 percent of the total agricultural employment (World Bank Report, 1990). A small scale farm is a farm with its hectarage ranging between 0.2 and 12 hectares (Republic of Kenya, 1985). Most small scale farms rely on family members for labour requirements and management; and produce staple food crops primarily for subsistence needs with the surplus for sale.

Small scale farmers have heen identified among the five target groups forming the nation's poor '. These are farm families who work on small plots of land. They must be assisted to improve their basic incomes. Improvement in crop yields and better selection of crops is one way the basic income of such farmers can he improved (Republic of Kenya, 1983). The other target grouns forming the nation's poor are the Pastnralists, the landless rural workers, the urhan poor
and the handicapped (Republic of Kenya, 1983, op. Cit).
The poverty problem is worse in the medium and low potential areas which receive inadequate rainfall. International Lahour office (1972) stated that majority of farm families in the medium and low potential areas here in Kenya have farm incomes of less than 60 Kenya Pounds per annum. Muriithi (1979) noted that marginal areas of eastern Kenya exporience famine regularly owing to the hostile environmental conditions esperially the inadequate rainfall. Ghai et al (1983) stated that nearly 50 percent of the 2.1 million household in Kenya receive average household income of 100 Kenya Pounds per annum or less. They further noted that 44 percent of the small holder farmers in Kenya receive average income of less than 100 Kenya Founds per annum. With such a low level of income, it is inevitable that these familiss exist in extreme poverty conditions.

Improving land productivity in the semi-arid and arid areas has heen in the focus of Kenya government. Kenya's 1989 - 1993 development plan focuses attention on self-sustaining innovations and production activities in the small scale dryland farming and irrigated agriculture. Kenya has an estimated irrigation potential of 500,000 hectares. The current irrigation coverage totals to 36,000 hectares. Thus only 7.2 percent of the irrigation potential has been utilized (Republic of Kenya, 1983). Out of the 36,000 hectares under irrigation, 12,600 hectares are under public
management and 23,400 hectares are under private management. Those under public management are managed by the National Irrigation Bnard (NTB) and are mainly the large scale irrigation schemes. Most small scale irrigation schemes are included in the 23,400 hectares and are under private management.

Irrigation farming in marginal areas colld be an important source of income, employment, food security and improved diet especially for young children (Heyer et al. 1976). It's successful operations wnuld reduce dependency on famine relief donations especially during drought years. Optimal farm plans can greatly assist small scale farmers improve their farm incomes through better selection of crop enterprises. This can lead to improvements in the farmers' standards of living since the higher farm incomes can be used to meet the farmers' wants.

### 1.2 The Studv Area:

The study specifically focuses on small holder farmers practising irrigation along the Yatta canal. Yatta canal starts from Thika river and passes through Ndalani and Matuu Location in Yatta division of Machakos district before draining to Mwita Syano river in the Machakos - Kitui border. The canal has a total lencth of 60 Kilometres (see figures 1 , 2 and 3).

International Boundaries

Provincial Boundaries
District Boundaries. 1 Study District.

Scale.icm: 50kM,
SOURC: Republic of Kenya: iiachakos District Development Flan 1989-1993.

Figure 1: Kap of Kenya Showing losation of liachakos District.


## 1:2:1 Rainfall:

Yatta division is a marginal area and receives mean annual rainfall of 730 mom per annum (Republic of Kenya 1978). The rainfall distribution is himnतal in nature, with the long rains occurring in March, April, May and June while the short rains occur in October. Novomber and December.

## 1:2:2 Temperature:

In general, Yatta has a mean minimum temperature of $12^{n} C$ occurring in July and a mean maximum of $27^{\circ} \mathrm{C}$ in February. For the other months temperature averages between $15^{\circ} \mathrm{C}$ and $25^{\circ} \mathrm{C}$ (Republic of Kenya 1978). 1:2:3 Soils:

Soils in the study area are dominantly well drained, moderately deep to very deep, dark yellowish brown, friable to firm sandy clay to clay, with top soil of loamy sand to sandy $]$ nam. However, there are pockets of imperfectly drained to poor drained, deep to very deep, dark red to black, friable to firm cracking clay (Jaetzold et al, 1983). 1:2:1 Land Tenure:

Interviews with farmers during the field survey indicated that permanent settlement in Yatta occurred between mid 1960 s and early 1970s. The Post-colonial Kenya Government spttlod some of the people who were landless within Machakos district and the neighbnuring Kiambu and Murang'a districts in this area. Each family was allocated plots of 2 to 3.3 hectares (5-8 acres).

## 1:2:5 Yatta Canal:

Yatta canal was constructed in 1953 by Mau Mau detainee arrested for their involvement in the struggle for Kenya's independence. The objectives of constructing the canal by then were: a political ohjertive of rehabilitating the Mau Man detainees and an economic ohjective of supplying water for domestic and livestock use. The canal's irrigation potential was then not considered. The canal was inaugurated in 1959 and water has been flowing since then. At present the Ministry of Water Development is responsible for the maintenance of the main canal and water distribution operations. It can literally be said that Yatta canal is owned by the Ministry of Water development.

Although irrigation was not a priority during the construction of the Yatta canal, its development has of late taken up very fast and is evident from Table 1.1.

Tahle 1:1 Trend In Hectarage Under Irrigation

| Year | Hectarage Under Irrigation |
| :--- | :--- |
| 1978 | 200 hectares |
| 1985 | 685 |
| 1990 | 863 |

Source: Republic of Kenya, 1978; 1990a.

Permits to use the canals water for irrigation are obtainable from the Ministry of Water Development on application. A fee of Kenya shillings (Kshs) 300 per hectare payable on two half yearly instalments of Kshs. 150 is paid by every irrigation water user.

There is a great notential for irrigation farming along Yarta canal. Kalders (1984) indicated that the total area within the supply limit of Yatta Canal is 10300 hectares. The supply limit mentioned here refers to some distance from the canal which vary mainly with the topography while considering gravity water conveyance system.

### 1.3 Problem Statement

As it was noted earlipr, Yatta canal is managed by the Ministry of Water develomment. All the irrigation water users have to he permitted by the Ministry. The maximum hectarage each farmer is allowed to irrigate per growing season is 0.5 hectares (Kalders, 1984). Most of the crops grown under irrigation are annuals and farmers can irrigate a maximum of one hertare in a year. It is unon each farmer to choose the crop(s) or crop mixtures to grow as well as arrange for acquisition of inputs and also the marketing of output. A wide range of crops are grown which include: French beans (Fhaseolus vulgaris): Asian vegetables with the main ones being Karella (Memontica charanta), Duthi (Cucurhita spp), Thin Chillies (Cansicum spp), Bullet chillies (Cansicum spp).

Long chillies (Capsicum snp), Valore ( Dolicos Lab - Lab), Brinjals (Aubergine or Solanum melongena). Okra (Hibiscus esculentus). Tulia (Cucurbita snp). Turwel (NPP-670' pigeon peas sold when green, caianus caian), chola (cowpeas sold when green; Vigna unguiculatal ; local vegetables and fruits such as onions, cabhages, tomatoes, bananas, citrus and passion fruits are all grown in the irrigated plots. There are no pronosed farm plans to guide farmers on what to grow especially in the irrigated plots. Given that the maximum area allowed for irrigation is restricted, it is important to propose farm plans for the farmers to ensure maximum benofits are gained from the irrigation water. This study is an effort to meet this challenge.

### 1.4 Justification of The Study

The current Development plan (Republic of Kenya, 1989) indicates that the area under irrigation will be expanded from the 1989 level of 36000 hectares to 45000 hectares during the five year plan period, with emphasis being made on small irrigation projects. Experience has shown that the large irrigation schemes are expensive to implement and operate especially if requiring pumped water (Ireri, 1986). To realize such an amhitious expansion rate, irrigation

3 NPP - 670 is a name of an early maturing variety of pigeon peas and NPP means National Pigeon peas programme. It is this early maturing variety which is grown in the irrigated plots.
farming has to be made more attractive especially where farmers are doing it on their own initiative as is the case in Yatta canal. Proposing optimal farm plans to such farmers with the aim of increasing thoir farm income is therefore quite desirable.

The study was being carried in a marginal area experiencing inadequate rainfall. With irrigation, this major climatic constraint is overcome. The irrigated land should then be put into the hest use to generate the maximum possible income. Snme questions this study will focus on are: What are the possibilities of generating more farm income just by reorganizing the existing resources and enterprises through obtaining optimal farm plans? How superior in terms of income generated are the optimal plans over the existing farming systems? What policy recommendation can be made to improve crop farming in the study area?

Finally, the study focuses on small holder farmers and aims at improving the farmers' living standard. Small farm survival is dependent upon maximising cash income while keeping production cost low. The aim of the study is therefore quite in agreement with the country's development policies and aspirations.

### 1.5 Obiectives of The Study:

The specific objectives of this study are:
To describe the existing farming systems in the small holder farms along the Yatta canal citing the enterprises undertaken, the present level of resources and their utilization and the estimated level of farm income attained.

To develop optimal farm plans for the small holder farms alng Yatta canal using gross margin maximization criterion. This will show the crop enterprises to be grown and the maximum total gross margin attainable.
(iii) To make comparison of the existing farming system and the optimal farm plans with a view to measure the gap in income between the two systems. This would help to show the potential of the optimal farm plans in increasing farm income.
(iv) To identify the main constraints to higher incomes for small holder farmers along the Yatta canal.

### 1.6 Hynothesis To Be Tested:

The study will test the hypothesis that the current lpvel of resource use is sub-optimal and hence higher farm income can be realized by reorganizing the crop enterprise combinations. This hypothesis implies that farm income is helow what can be achieved with optimal allocation of the present resource levels. Total gross margins comparisons for
the optimal farm plans developed and the existing farming system are used to test the hypothesis.

### 1.7 Farm Plan:

A farm plan is a programme of the total farm activities of a farmer drawn up in advance. A farm plan should show the crops to be grown, the practices to be followed in their pronuction; the combinations of other enterprises; the use of labour: the investments made in farm inputs, equipment and buildings and similar other details (Johl et al, 1973).

A common assumption made in farm planning is that a farmer is primarily interested in maximizing his farm income. This is probably valid to most farmers since a higher farm income provides the means for satisfying many of the farmer's wants. Because of this assumption, farm plans are evaluated on the hasis of the income derived from them. In this study, gross margins are used as the measure for farm income. Optimum Plan: An optimum or maximum feasible plan is one which is consistent with resource supplies or restrictions and for which no improvement can be made on the objective. That is profit or production cannot be increased or costs cannot be decreased (Heady et al, 1958).

### 1.8 Plan of The Thesis:

This thesis is composed of five chapters. Chapter 1 is the introductory chapter. It highlights some background information, the study area, research problem, justification of the study, objectives and hypothesis. Chapter 2 presents the literature review. Chapter 3 discusses the various farm planning methods/techniques, data requirements and sources, and the specific linear programming models used for the study. Chapter 4 presents the results of the study which include the description of the existing farming system and the linear programming results. Chapter 5 presents a summary of the whole thesis, conclusion and recommendations.

## CHAPTFR 2

## LITERATURE REVIEW

The present study was rone in an area where farmers practise irrigation. Therefore irrigation farming in Kenya as evident from the performance of Kenya's irrigation schemes is reviewed in this chanter. The current irrigation policy is cited. Snme criticisms against irrigation schemes as well Konya's experience with regard to such criticisms are also noted in this chapter. Studies related to small holder agriculture farm planning which used linear programming technique are critically reviewed in this chapter.

Folicies that will optimize the allocation of resources to thoir most productive use must be given prime importance (Republic of Kenya, 1986). In view of this, the current irrigation policy is in favour of small scale irrigation schemes as is evident in Kenya's 1989-1993 Development Elan. The shift in policy to favour small scale irrigation schemes is due to the fact that the large irrigation schemes have proved unsuccessful. Kamunge (1988) noted that:
"...Fxample of unsuccessful rural projects are Konya's large scale irrigation schemes. All the seven government run irrigat ion schemes except Mwea have annual expenditures heing in excess of annual revenues. This indicates that they are not financially feasible ...."

The government run irrigatinn schemes under question here above are: Mwea, Hola, Ferkerra, Ahero, West Kano, Runyala and Bura. Ireri (1986) attrihuted the success of Mwna to it's gravitational water conveyance system and also the support farmers get from their local cooperative society which provides supplementary financing. Through the same cooperative, farmers own equity shares in some of the schemes onerations. Ireri (1986) also noted that monoculture situation contributes to the success of Mwea. In a monoculture situation, it is easier to plan for the various farm operations such as planting, weeding, spraying and harvesting as well as engage machinery to undertake such operations. Added to this, it is possible that the attitude of the farmers towards rice farming is also a contributory factor towards the success of Mwea.

Some of the criticisms against irrigation schemes are: huge costs of establishment, delays in construction, low yields, poor financial performance and environmental damage (Carruthers, 1985). Delays in construction may be due to bureaucrary especially in financing and implementation stages. On Kenyan experience, these criticisms hold for the large irrigation schemes which have proven to be too expensive to implement and operate thus representing a serious drain on the ecnnomy (Republic of Kenya, 1988).

Despite these criticisms, irrigation remains the principal means by which rainfall inafequacy climate constraint can be overcome. The current shift in policy to favour small irrigation schemes is quite in order since small irrigation schemes can be of great use in improving the standards of living of the farmers who own the land at the time such irrigation development occurs. With small irrigation schemes, there is minimum disruption of settlement patterns (Palufikof, 1981 and Small, 1982). Along the Yatta canal where the present sturly is hased, farmers practise irrigation on their own farms. Irrigation development there has not interrupted the settlement pattern in the area.

Farm planning studies done so far in some of the country's large and small scale irrigation schemes have inentified resource misallocation through use of sub-optimal farm plans as the reason for poor performance of such irrigation schemes. Irea (1979) used linear programming to investigate the ontimality of resource use in Perkerra irrigation scheme. Irea's findings showed that optimal resource use in Perkerra would raise the renants income by 300 percont. With such a raise in the tenants farm income, it is clear that the financial performance of the scheme would greatly be improved.

Mukumbu (1987) similarly used linear programming to investigate whether farm plans in West Kano filot irrigation scheme are ontimal. Iike Ferkerra, West Kano is a large irrigation scheme which was characterised by poor financial performance. The finding of the study showed that with adoption of optimal farm plans the tenants income would rise from Kshs. 30,996 to Kshs. 63,439 per annum. This shows the income would more than double.

Irea (1979) and Mukumbu (1987) worked on irrigation schemes managed by the Nat innal Irrigation Boards (NIB). In these schemes, the board is engaged in all aspects of irrigation including water management, organization of farmers production operatinns, marketing, and financing all operations. Therefore the farmers operate under a programmed kind of system. The present study will carry out similar investigations as both Irea (1979) and Mukumbu (1987) did, but in a case where there is no institution engaged in the varinus production and marketing operations.

Makanda (1981) undertook a study to determine the significance of irrigation water on farm income. The study was done at Kibirigwi, a small irrigation scheme. Linear programming technique was used to obtain optimal farm plans. Results of the study showed that adoption of optimal farm plans would more than douhle the farmers' income. Just like

Irea's (1979) and Mukumbu's (1987) findings, Makanda's (1984) results revealed use of sub-optimal farm plans in small irrigation schemes. In his conclusion, Makanda (1994) called for more research in other small irrigation schemes using linear programming models to allow for generalization of all small irrigation schemes. The present study heeds Makanda's (1981) call but unlike Makanda who used the individual farm apnroach, average farm approach will he used in the present study. Individual farm approach may not be a good representative of the farms in an area since only one farm is consifered. The average approach is a better representative of an area's farming situation since an average of several individual farms is taken and used in the analysis.

Kamunge (1989) used linear programming to study the role of optimal resource utilization in improving farm income. A case study of Mitunguu Irrigation Project in Meru was considered. Four farm models categorised on the basis of the crops grown were considered. In all the farms models, the existind farming systems were found to be sub-optimal. This study agreed with other previous farm planning studies in irrigation schemes where optimal farm plans were shown to have a great potential of increasing farms income.

Several studies in Konya's rainfed farming systems have also shown that reorganization of the existing farming system
to come up with optimal farming systems would greatly increase farm incomes (Kange, 1980; Asamenew, 1980; and Mukhebi, 1981). Such findings, which also agree with the previously discussed findings from irrigated farming studies, show that use of sub-optimal farm plans is a serious problem in Kenya's agricultural sector. All the above referred studies done on rainfed farming use linear programming technique. Kange's study mainly aimed at developing optimal farm plans for farmers in Kaloleni Location of Kilifi District. Coast Province. The study used primary data representative of small, medium and large farm size groups. In each of the farm size categories, the study examined the potential of increasing farm income through reorganization of enterprise and farm resources under existing and improved technology. In all the models the increment in farm income ranges from 46 percent on small size holding with food requirement constraint to 187 percent on the large size holdings without food requirement constraint. Kange's study did not consider capital constraint though canital is quite an important input in agricultural production.

Asamanew's (1980) study aimed at determining enterprise combinations which maximize farm income and also identify the factors which constraint agricultural production on small scale farms in the star grass zone in Embu district. The
results of the study showed that farm income can be increased by 28 percent, 31 percent and 27 percent for small. medium and large farm sizes respectively if optimal farm plans are used. Although the present study aims at coming up with optimal farm plans, it differs from $\lambda$ samanew's (1980) study on the grounds that Asamanew's (1980) study was on a medium potential area and a totally different geographical location while the present study is heing done in a marginal area and in a case where irrigation is being practised.

Mukhebi's (1981) study was meant to investigate the feasibility of generating higher incomes and employment in Kenya's small scale agriculture. The study used primary data. With a multi- objective model of maximizing both income and employment, the study results indicated a $45 \%$ and $60 \%$ increase in income and employment respectively with adontion of optimal farm rlans.

Some short-comings of the study which even Mukhebi (1981) pointed out include the observation that the study area was not a representative of the majority of Kenyan small scale agriculture for it falls in a semi arid zone while majority of Kenyan small scale farmers are located in the higher and medium potential agricultural zones. Also the sample size of 38 farmers used in the study was extremely
small compared to the then estimated 1.5 million small scale farmers in Kenya hence the results of the study may have little validity to the entire small scale agricultural sub-sector. Further to this the farm sample was limited to only farmers who had received the Integrated Agricultural Develonment Programme Loans and had membership in the local farmers' co-operative society. Such farmers are likely to be more progressive than the rest in the location and hence the sample not being a gond representative of the small scale farmers in the location and more so for the country as a whole. In view of these shortcomings, the present study will be restricted to the problem of farm planning in a particular area. Samnling procedures used in this study will ensure that a gond representative samnle, of all the small scale farmers practising irrigation in the study area, is obtained. By having the study problem restricted in a particular area and by having a good representative sample, the validity and applicability of the results of the study to the study area would areatly be improved.

In conclusion, the sturies reviewed have provided a more comprehensive view of the dimensions of farm planning problem in Kenya's small holder agriculture. The studies have also cited some potential difficulties in the field of investigation. The studies reviewed have also helpod in the
clarification of the unique context and potential contribution of the present study. Finally, the studies reviowed have shown that farm income could greatly be improved if optimal farm plans are adopted by farmers.

## CHAPTER 3

MFTHODOLOGY

### 3.1 Introduction:

In this chapter a variety of farm planning techniques are discussed and their strengths and weaknesses are cited. Detailed account of the theory behind linear programming technique is also given in the chapter. This involves discussing the quantitative components in a linear programming problem, the general linear programming model formulation and the assumptions and conditions for the model. There is also a discussion on data requirements and sources. Details on the specific linear programming models used for the study are also covered in this chapter. Such details include the objective function, activities, resource constraints and technical coefficients. Finally there is a discussion on how the analysis is done.

### 3.2 Farm Flanning Methods/Techniques:

This is basically a farm planning study involving choice of crop enterprises where there are numerous possible alternatives and some resource constraints. There are several quite popular farm planning techniques such as budgeting methods which include partial budgeting, complete budgeting and programme planning. However, this study uses
linear programming as the analytical tool. Although linear programming has it's own weaknesses as it will he mentioned later, the choice of the mothod as the study's analytical tool is hased on some of it's nutright advantages namely: the ability of linear programming to allow for as many alternatives as possible: the fact that linear programming has less burden of clerical onerations as compared to other farm planning techniques such as budgeting; the fact that linear programming provides a mechanism for a careful analysis of constraints; and the fact that linear programming problem matrix can be designed to relate to selection of activities which may include not only real profuction but activities of subsistence, marketing activities as well as resource hiring activities (Agrawal et al. 1972 and Low, 1978)

Generally, budgeting method provides the means to choose between alternatives through examination of returns to important resources such as land or labour or capjtal. At the end budgeting gives expense and income accounts which show where the highest returns are possible. Specifically, partial budgeting method refers to estimating the outcome or returns for part of the business. That is, returns to one or a few activities. Complete farm budgeting considers all farm enterprises and estimares costs and returns for the
whole farm. Allocation of resources is based on the profitahility of an enternrise and the plan is accoptable as long as it is within the main constraints and the profitability is satisfactorily based on the planners view (Johl et al, 1973). Programme Planning identifies the most limiting resources and returns are maximized to those resources. Marginal adjustments are then made with respect to other limiting resnurces afterwards. This is quite satisfactory where the number of limiting resources is small. But in practice, the number of limiting resources tends to be quite large in farm production problems. Hence maximization of returns to only one or two of the resources is likely to lead to suhstantially sub-optimal results (Johl et al. op. cit). While the simplicity of budgeting methods aid the communication of results to farmers, their arithmetic calculations burden narrows their scope and potential of application is solving farm planning problems. Further, budgeting methors do not allow many alternatives to be considered nor do they ensure that an optimal solution is obtained (Agrawal et al. 1972; Steward, 1961). Such shortcomings make budgeting methods inadequate representation of intra-farm relationships.

Another alternative is the production function analysis which involves fitting a production function either for a
single enterprise or for the whole farm. The contributions made by the different resources to production as observed in the field are then moasured. A big prohlom with this approach is that it is difficult to include all variables since problems of economotric estimations can easily arise. Also the form of production function is not known. The approach therefore is not followed here.

Other techniques which could be used for solving farming nlanning problems are:
(i) Non Linear programming: used where the Linear assumptions need to be relaxed
(ii) Dynamic programming: Useful where the results of one time period significantly influence the decision of the next time period (Agrawal et al, 1972; Johl et al, 1973). However both technigues are too sophisticated and quite advanced, therefore they are not followed for this study.
3.3 Linear Proaraming: Heady et al (1958) referred to Linøar frogramming as a systematic and accurate method of determining mathematically the optimum combination of enterprises or inputs so as to maximize income or minimize costs within the limits of the available resources. Linear Proaramming serves as an important farm management and resparch tool. Problems to which linear programming can be
applied have three quantitative components namely:
(i) Objective function: Which has to be precisely defined and expressed in quantitative terms. For example, a farmer may be interested in maximizing total farm income or minimizing costs and any of these can form the farmer's objective function.
(ii) Alternative methods or processes of attaining the objective: These may be different enterprises, different methods or techniques of production by which the objective can he obtained.
(iii) Resources restrictions: These may be fixed quantities of certain resources. For example, given amounts of land, labour, machinery, working capital and so forth. There also can be subjective, institutional and other types of restrictions. For example, hectarage limitation for certain crops, limitation on the quantities marketed and the like.

## General Model Formulation

Maximise $Z=C_{1} X_{1}+C_{i} X_{2}+\ldots \ldots+C_{n} X_{n} \quad$ (objective function).
Subject to

$$
\begin{aligned}
& a_{11} x_{1}+a_{1} x_{2}+\ldots+a_{1 n} x_{n} \leq b_{1} \text { (resource constraint). } \\
& a_{21} x_{1}+a_{22} x_{2}+\ldots \ldots+a_{2 n} x_{n} \leq b_{2}( \\
& a_{m 1} x_{1}+a_{n} \cdot x_{2}+\ldots \ldots+a_{m n} x_{n} \leq b_{m} \quad \text { ). }
\end{aligned}
$$

$$
x_{1} \geq 0 \text { (non negativity of activity requirement). }
$$

Using the summation sign the above equations are rewritten as:

Maximise

$$
Z=\sum_{j=1}^{n} c_{j} x_{j} \quad \begin{aligned}
& \text { (Linear Objective } \\
& \text { Function) }
\end{aligned}
$$

Subject to:

$$
\text { 1) } \sum_{j=1}^{n} a_{i j} x_{j} \leq b_{i} \xrightarrow[\text { Constraints) }]{\text { (Linear }} \text { Resource }
$$

2) $x_{3} \geq 0$ (Non Negativity of Activity)
where;
$C_{3}$ is net value of output per hectare of activity $j$ and $j=1,2, \ldots \ldots, n$.
$x_{3}$ is number of hectares of activity $j$.
$a_{i,}$ represents the number of units of resource $i$ which are used by one hectare of activity $j$ and $i=1,2, \ldots \ldots, m$
$b_{i} \quad$ is the unit of $i$ th resource available.

In matrix notation, the model takes the form:
Maximise

$$
7 .-c^{\prime} x \quad \text { (Objective function) }
$$

Subject to

$$
A X \leq B \text { (Resource Constraints) }
$$

$$
X \geq 0 \begin{aligned}
& \text { (Non } \\
& \text { Activity) }
\end{aligned} \text { Negativity of }
$$

where $A$ is a $m x n$ matrix of technical coefficients $C$ is a $n \times 1$ vector of prices or other weights for the objective function $x$ is a $n \times 1$ vector of activities $B$ is a $m \times 1$ vector of resource or other constraints.

## Assumptions And Conditions For The Model:

The basic assumptions of a conventional Linear programming problem are:

1) Additivity of Resources And Activities: Activities must be additive in the sense that when two or more activities are considered their total product must be the sum
of the individual products. Similarly the sum of resources used by different activities must equal the total quantity of resources used by each activity for all resources individually or collectively. This implies absence of any interaction among the activities for the resources. However, in actual farm production, interaction of activities for resources do occur. This can be noted where there are crop mixtures. Crop mixtures were quite common in the study area. To overcome the effect of interactions of activities in crop mixtures, the study treated each of the crop mixtures as one activity rather than separate activities.
2) Linearity: The objective function is linear and the the resource constraints are linear. By having a linear objectuve fuction, it means that there is no interdependence in the valuation of output of different activities. Going by the objective function of the study as given in the above general model formulation, this assumption implies that the net value of output of any activity does not depend on the level of output for the activity. In other words the selling price of any product does not depend on the quantity produced and sold.
3) Proportionality of Activity Level to Rescurces. This assumption implies constant resource productivity and constant returns to scale. This means that if output is to
be doubled, then just double the resources. Proportionality assumption implies there is linear relationship between activities and resources.
4) Non Negativity Of The Decision Variables: Activities and decision variables have positive values. A farmer can not grow a negative hectarage of an activity or apply a minus amount of an input such as fertilizer or chemical.
5) Divisibility of Activities And Resources: This assumption implies continuity of resources and output. That is resources and products are considered to be infinitely divisible. This means use of resources in fractional quantities and also production of output in fractions is acceptable. Relating this assumption to the present study, it should be noted that crop activities produce products in fractional amounts such as a fraction of a given weight measure. Also most farm inputs such as fertilizer, chemicals, and even land can be used in fractional amounts. So this assumption is not a serious limitation.
6) Finiteness Of Activities And Resource Restrictions: This means the Linear programming problem must have a finite number of activities and resource constraints. If farmers had unlimited number of alternatives, the alternative activities can not he programed since the farmers could
never finish describing additional ones.
7) Single-Value Expectations: This means resource supplies. input- output coefficients, prices of resources and output, levels of output of the activities are known with certainty.

Some shortcomings of linear programming technique, a number of which arise from it's assumptions and conditions are :1) Linear programming only deals with a single linear objective function and a set of linear constraints. In the present study the objective function is maximization of farm gross marain. However this might conflict with the objective of some farmers for whom the profit motive does not greatly influence their farming decisions.
2) The assumption of single value expectation imparts to the linear programming model the property of being deterministic. As an example, this assumption implies input - output coefficients and also prices are known with certainty. Changing input- output coefficients in the model represent change in technology. In such a case different linear programming model with different coefficients have to be used. But still the static assumptions hold. Although prices are assumed to be constant, where they (prices) are likely to change or are particularly uncertain, parametric programming is done to investigate the sensitivity of the programmed
solution to price changes.
3) Linear programming technique does not explicitly consider natural and economic risks and uncertainties of the various alternatives faced by farmers. Further more, the linear programing model is time static in that resources can not be transferred from one time period to the other.

Linear programming is mainly a procedure for providing normative solutions to problems. The simplex procedure is used to arrive to the optimum plan. Details on this procedure are not covered here since they are available in standard text books such as Heady et al (1958) and Agrawal et al (1972).

### 3.4 Data Requirements And Sources:

The Linear programming problem definition for this study requires quantitative data which include:
(i) Supplies of fixed resources or other restrictive requirements which will limit the plan.
(ii) Input - output coefficients which define the per unit requirements of enterprises or activities for resources.
(iii) Net value of output per unit activity. This requires data on prices of the products and variable resources used.

These quantitative data were obtained from primary and secondary sources. Primary data were directly collected from the farmers using a structured questionnaire (See appendix 1). Prior to the actual data collection, the questionnaire was pretested on a sample of five farmers in the same area but a different sublocation from where the actual data were collected. The actual data were collected by trained enumerators under the author's supervision.

Secondary data used in this study were obtained from reports published by Government Ministries especially the Ministry of Agriculture, Ministry of Water Development, Government Development Plans and TARDA (Tana and Athi Rivers Development Authority).

Samnling: In the study area, there are irrigation groups where each group is made up of the farmers sharing a common offtake furrow from the main canal. A list of all the groups was available with the Ministry of Water Development. Up-to-date lists of all the farmers in the groups were available with the respective group chairmen. Using these lists, a two stage stratified random sample was selected. This involved randomly selecting 6 irrigation groups from a total of 14 groups and then randomly selecting a sample of 60 farmers from a total of 322 farmers in the 6 selected
grouns. From each group, a proportional number of farmers was randomly selected depenting on the group size. This was done to ensure that the group with more memhers also had greater representation. Further details are in table 3.1. Table 3.1: Groups sampled and the number of farmers sampled from each group:

| Group | Loc. | Sub-Loc. | No. Farms. | No.Sampled |
| :---: | :---: | :---: | :---: | :---: |
| Mamba | Ndalani | Mamba | 26 | 5 |
| Simba | " | " | 53 | 10 |
| Kithendu | Matuu | Matuu | 46 | 8 |
| Kaluluini | " | " | 52 | 10 |
| Scheme A | " | Kithimani | 88 | 16 |
| Muthesya | " | " | 57 | 11 |
|  |  |  | 322 | 60 |

The study used 57 sample farms since 2 questionnaires were spoiled and 1 farmer had not irrigated his farm hence a total of 3 farms were discarded.

### 3.5 Snecific Linear Programming Model Used For The Study:

Maximise

$$
Z=\sum_{j=1}^{n} c_{j} x_{j} \quad \text { (Objective function) }
$$

Subject to:

$$
\sum_{j=1}^{n} a_{i j} x_{j} \leq L_{i} \xrightarrow[\text { (Irrigated }]{\text { Constraint) }} \text { Land }
$$

$$
\sum_{j=1}^{n} b_{i j} x_{j} \leq D_{i} \xrightarrow[\text { (Unirrigated Constraint) }]{\text { Land }}
$$

$$
\sum_{j=1}^{n} m_{j} x_{j} \leq M \underset{\text { constraint) }}{(\text { working }} \quad \text { capital }
$$

$\sum_{j=1}^{n} h_{k j} X_{j} \leq H_{k} \quad \begin{aligned} & \text { (Human } \\ & \text { constraint). labour }\end{aligned}$
$X_{3} \geq \quad E$ Minimum area constraint for subsistence maize and Beans (Ha.)
$x_{1} \quad \geq \quad F$ Minimum area constraint for some priority crops (Ha).
$L_{i}, M, H_{k}, E, F \geq 0$ (Non-negative constraint).
where:
$Z=$ Total gross margin in Kenya shillings (Kshs).
$C_{1}=$ Gross margin per hectare of the jth crop. (kshs/Ha). $j=1,2, \ldots . . . n$
$x_{1}=$ Number of hectares under the $j$ th crop
$L_{i}=$ Total irrigated land available in season $i$; where $i=1$ or 2 for short rains and long rains respectively.
$D_{i}=$ Total unirrigated land available in season $i$; where $i=1$ or 2 for short rains and long rains respectively. $a_{i j}=$ Irrigated Land required for one unit of $j$ th crop activity in season $i$; it has a value of one in the problem matrix.
$b_{i j}=$ Unirrigated land required for one unit of jth crop activity in season $i$; it has a value of one in the problem matrix.
$h_{k j}=$ Human labour requirement in kth month for one hectare of $j$ th crop activity (Man hours per hectare). $\mathrm{k}=1,2 \ldots . . .12$.
$H_{k}=$ Total labour available in man hours in the $k t h$ month
$m_{1}=$ Working Capital requirement per hectare of $j$ th crop activity in Kshs.

M = Total working capital available per year in Kshs.
$\mathrm{E}=$ Subsistence maize and Beans area.
$\mathrm{F}=$ Priority crop area.

The Obiective Function: In this study the objective function is the maximization of total gross margins subject to some constraints; namely; land, labour, working capital, subsistence needs and other crop constraints based on farmers priorities. Gross margin for any activity is the total value of output at market prices less variable costs. The sum of the gross margins of all the activities in a farm plan gives the total gross margin.

Activities: Agrawal et al (1972) defined the term activity as used in Linear programming to denote what is being produced, an enterprise undertaken, or a method of production used and is characterised by a specific proportion of various resources. Real activities are those which are either produced for sale in the market or in the case of resources, they are purchased in the market and used on the farm. Intermediate activities are those produced in the farm but become a resource for another real activity. Disposal activities are included in solving the linear programming problem to allow for non-use of resources. Real activities considered in this study are:
(i) Irrigated crop enterprises such as Karella (Memontica charanta). Duthi (Cucurbita spp). Thin chillies (Capsicum spp). Long chillies (Capsicum spp). Bullet chillies (Capsicum spp). Valore (Dolicos Lab-Lab), Brinjals (Aubergine), Okra (Hibiscus esculentus). Tulia (Cucurbita Spp). Turwel (Pigeon Peas), French beans (Phaseolus vulqaris), Chola (cowpeas or Viqna unquiculata). Onions (Allium cepa), Cabbages (Brassica spp), Kale (Brassica spp), and Tomatoes (Lecopersicon esculentum).
(ii) Unirrigated crop enterprises: These include maize, beans. pigeon peas, maize beans and pigeon peas intercrop, maize and beans intercrop, maize and pigeon peas intercrop. There are other irrigated crop enterprises which were considered as minor activities and hence have been excluded since farmers could not identify the hectarage occupied by such crops, the inputs used by such crops and the yields obtained from such crops. These include, bananas, citrus, passion Eruits, arrow roots and sugar canes. Similar unirrigated crop enterprises are cassava, cow peas and bananas.

The study considered two crop growing seasons in a year as that is the practice in the study area. First growing season is marked by the short rains and is between the months of October and February. The second growing season is marked
by the long rains and is between the months of March and September. For every growing season, a portion of the available arable land is set aside for irrigated enterprises. Twelve labour hiring activities are also incorporated in the model with each of them representing labour hiring during each of the twelve months of a year. This is necessitated by the fact that casual labour hiring is quite common in the study area due to the high labour demand of the horticultural crops grown in the irrigated plots.

Resource constraints: The main resource constraints specified for the Linear Programming models are land, labour and operating capital.

Land: Four land constraints were defined namely, arable land available for rainfed cultivation during the first season (october - december) rains; arable land available for rainfed cultivation during the second season (march - june) rains; arable land available for irrigated farming during the first season; arable land available for irrigation farming during the second season. As it was noted earlier, field observations by the author revealed that only a portion of the farmed land is set aside for irrigation during each cropping season. This necessitated the incorporation of two
irrigated land constraints.
High quality land is scarce but land is treated as homogenous in this study. Assessing quality of land involves considerations on soils; topography, fertility measures and so forth. Owing to the difficulties in data collection for the evaluation of the various quality factors coupled with the problems of limited time and finances, this study ignored the issue of land quality.

Labour: Farm labour is scarce in the sense that it's shortage at certain times of the year prevents increase in production from taking place. Thus the role of labour in determining farm production patterns and the way in which labour at particular times of the year limit production are examined. Twelve monthly labour constraints are considered in this study. It is assumed that it is immaterial at which time during the month a labour input is used. That is it makes no difference to output if a labour input takes place at the beginning or end of the monthly labour time period. No distinction was made between men and women labour hours since farmers in the study area indicated there was none. A weighting system (see table 3.2) was used to discount the labour of children and older adults.

Table 3.2: Labour weighting system in Man-Equivalents:
Age category
Man-equivalent
Children between $0-6$ yrs 0.00
Children between $7-14$ yrs 0.50
Adults between $15-64$ yrs 1.00
Adults over $\quad 64 \mathrm{yrs}$. 0.50

Source: Adopted from Norman! 1973.

Workina Capital: Working capital was estimated using the total amount of cash expenditure in the $1989 / 1990$ cropping season. This involved all cash expenditure for fertilizers, chemicals, seeds, manure, land preparation and casual labour. Thus working capital was estimated from the variable costs for the enterprises in the farm. This approach has been used before by Mbai (1984), Kamunge (1989) and Barasa (1989) and is supported by Pandey and Kaushal (1980) who argued that due to insufficient records available with farmers and also due to the difficulties in sorting out family and farm expenditure the total cash expenditure on the farm during the year in question, is the best estimator for the total canital available for farming.

Subsistence Constraint: Preference of farmers to meet their subsistence needs necessitates the incorporation of the subsistence requirement as a constraint (Johl et al. 1973; Upton, 1987). The incorporation of subsistence requirement in the model is quite in accordance with the Kenya Government's food policy since food self sufficiency is given priority. That is, produce enough food to meet domestic demand (Republic of Kenya, 1986).

Maize and beans are the most popular subsistence crops in the study area. Consumption figures with respect to these two crops as indicated in the food balance sheet, show that 118 Kg of maize and 11 Kg of beans are the annual subsistence requirements per capita in Kenya (Republic of Kenya, 1979). These figures were multiplied by the average number of persons in the average farm model and used to calculate the minimum area required to meet subsistence need for the two crops. Such a procedure has been proposed by Upton (1987). The most popular subsistence cropping system is the maize, beans and pigeon peas intercrop. This is the cropping system which was used to meet the subsistence requirement constraint.

Other constraints: These are specific crop constraints incorporated in the model on the basis of the farmers'
priorities. The basis for this is the fact that farm plans should take into account farmers likes and dislikes (Johl et al. 1973; Steward, 1961). More details will come under specific farm models in Chapter 4.

Water Resources: Though quite important, water resource is just discussed here but was not considered as a constraint in this study. This is due to the difficulties involved in estimating specific crop water requirements and also in estimating the actual amount of water available to each farmer. The irrigating farmers practise furrow irrigation method. They just obstruct water from the main canal to the offtake furrows and have further obstruction in the offtake furrows to individual farmers' farms. There are no gauges or metered control gates to indicate how much water flows to each individual farm or in each offtake furrow.

Each permitted irrigation farmer is authorized to obstruct $30 \mathrm{~m}^{3}$ per day for irrigation purposes (Kalders, 1984). However this figure is based on the assumption that all the off-take furrows and the individual farm furrows are lined - up while in practise this is not the case. It also assumes a case where the flow in the main canal is at it's maximum capacity of $1.699 \mathrm{~m}^{3}$ per second.

During the field survey, irrigation water shortage was cited as a problem by some farmers. They attributed the shortage to reduced water flow rate in the main canal and identified siltation and vegetative growth in the canal as the main causes. Discussions on the water shortage issue with Ministry of Water Development officials in the locality who are responsible to oversee the canal's maintenance operations (desilting and vegetation clearing) revealed that there is no machinery to do such operations hence this is done manually by casual labourers. At times, prolonged rains and lack of funds for hiring casual labour lead to delays in those operations and hence temporary irrigation water shortages are experienced. The official view was that a permanent solution will be obtained by lining-up the canal for this will not only ease maintenance operations but also reduce water seepage losses. Table 3.3 shows the uses of the yatta canal.
Table 3.3 Water uses in the Yatta Canal:

| Water use | Percentage (\%): |
| :--- | :--- |
| Public and Domestic | 30 |
| Seepage | 26.5 |
| Irrigation | 42.5 |
| Others | 1.0 |

Source: Republic of Kenya, 1990a.

From the Table 3.3 above, it can be noted that irrigation is the leading water user. However seepage loss is quite high amounting to 26.5 percent of the total obstructed water.

The farm plans developed in this study are based on the assumption that maintenance operations will be improved to ensure that there is sufficient water to irrigate the permitted area for all authorised farmers.

Technical coefficients: These are also called the input output coefficients. They represent the resource requirements per unit of activity. Gross margins were calculated for each of the crop enterprises and entered as the coefficients for the objective function.

Crop enterprises were expressed on per hectare basis, so a value of one was used for each of the crop enterprises as the crop enterprise coefficient with regard to land. The amount of variable costs per hectare of each crop enterprise was calculated and this was used as the technical coefficient of the particular crop enterprise with respect to capital constraint.

Labour requirements per hectare of each of the crop enterprises with respect to land preparation, planting, weeding, spraying, staking and harvesting were obtained for
each of the sampled farmers. An average for all the farmers was then calculated for each of the crops' operations. From the average figures, monthly labour coefficients were obtained. The labour coefficient for any crop represents the number of man hours required per hectare of the crop in a given month and it depends on the operations of that crop which take place during the given month.

Labour hiring activities were incorporated in this study. These activities increase the supply of a scarce resource namely labour and reduce the supply of another limited resource namely capital. Therefore these activities have negative coefficients with respect to labour and positive coefficients with respect to capital. Consequently there will be negative net revenue coefficients for labour hiring activities (Heady et al, 1958). In the study area, farmers hired labour at a rate of Kshs. 20 per six hours working day. This means the per hour labour charge is Kshs. 3.30. Therefore the coefficient with regard to these activities were $-3.30,-1$ and 3.30 for the objective function. labour constraint and capital constraint respectively.

### 3.5 Methods of Analyses

Tabular analyses are used mainly in the description of the existing farming system. To develop optimal farm plans, linear programming is used. Average approach is used and this involves pooling and averaging all the individual farm observations hence generating an average farm model. This average farm model is the one used for this study for it is a good representative of the farms in the study area.

Optimal farm plans are developed considering the relevant constraints that vary from plan to plan. The results of analyses are presented in the next chapter.

CHAPTER 4
RESULTS AND DISCUSSION
The results of this study are presented and discussed in this chapter. First, the existing farming system is described whereby the availability and utilization of the various farm resources such as land, labour, and capital are considered. Second, the optimal farm plans developed for Yatta farmers as well as their limiting resources are presented.
4.1 Description of The Existing Farming System
4.1.1 Land Availabilitv And Use: Table 4.1, here below shows details on farm holding sizes in hectares.

Table 4.1 Land Availability In The Study Area (hectares).
$\begin{array}{llll}\text { Total farm size } & 2.63 & 4.86 & 0.40\end{array}$
Irrigated area

| - first season | 0.228 | 0.4 | 0.05 |
| :--- | :--- | :--- | :--- |
| - second season | 0.233 | 0.41 | 0.05 |

Unirrigated farmed area

| - first season | 1.34 | 4.05 | 0.30 |
| :--- | :--- | :--- | :--- |
| - second season | 1.17 | 3.60 | 0.20 |
| farmed area | 2.971 | 8.46 | 0.60 |

As it can be noted from Table 4.1, farm holdings along Yatta Canal are quite small. This is mainly due to the settlement history as was noted in chapter one. The highest observed total farm size is 8.46 hectares and the mean total farm size was 2.63 hectares.

In this study, total farm size refers to the cultivated and uncultivated holdings owned by a farm family within the study area. It should be noted that the practice of having two crop growing seasons per year makes the total farmed area per year appear larger than the total farm size.

The average irrigated area per farm family in a year is 0.461 hectares which is about $15 \%$ of the average total farmed area per farm family. The average irrigated area per farm family is by far less than the maximum area permitted for irrigation which sums up to one hectare in a year. Some problems raised by the farmers during the field survey which possibly hinder full utilization of the area permitted for irrigation are lack of working capital and labour scarcity. Temporary irrigation water shortages were also cited as a problem by some farmers. In addition to these problems, lack of suitable optimal farm plans for guiding farmers in their farming activities may also lead to under utilization of the permitted irrigable area.

Table 4.2 shows the average area in hectares for the various crop enterprises, the numher and percentage of farmers growing each particular crop and the average gross margin per crop per hectare.

Table 4.2: Hectarage under various crops
in the study area

|  | Average <br> Area (Ha) | No. of and Pe hased entire | armers <br> entage <br> ample | Average GM per crop perHa (Kshs) |
| :---: | :---: | :---: | :---: | :---: |
| (Irrigated) |  |  |  |  |
| Karella | 0.119 | 34 | (59.6\%) | 50364 |
| Duthi | 0.106 | 21 | (36.8\%) | 30604 |
| Valore | 0.114 | 18 | (31.6\%) | 45202 |
| Brinjals | 0.128 | 8 | (14.0\%) | 34104 |
| Okra | 0.115 | 17 | (29.8\%) | 41619 |
| Thin Chillies | 0.107 | 14 | (24.6\%) | 41329 |
| Long Chillies | 0.096 | 10 | (17.5\%) | 36193 |
| Bullet Chillies | 3 0.121 | 11 | (19.3\%) | 49973 |
| Onions | 0.072 | 10 | (17.5\%) | 27409 |
| French Beans | 0.087 | 18 | (31.6\%) | 20959 |
| Chola | 0.069 | 4 | (7.0\%) | 12764 |
| Kale | 0.080 | 13 | (22.8\%) | 26170 |
| Tulia | 0.087 | 10 | (17.5\%) | 30687 |
| Turwel | 0.073 | 4 | (7.0\%) | 32782 |
| Tomatoes | 0.083 | 12 | (21.1\%) | 31205 |
| Cabbage | 0.101 | 6 | (10.5\%) | 38227 |
| (Unirrigated) |  |  |  |  |
| Maize A | 0.810 | 22 | (38.6\%) | 2626 |
| Maize B | 0.789 | 20 | (35.18) | 2440 |
| Beans A | 0.587 | 12 | (21.1\%) | 4518 |
| Beans B | 0.478 | 11 | (19.3\%) | 3757 |
| Pigeon peas | 0.405 | 5 | (8.88) | 5661 |
| Maize + Reans + Pigeon |  |  |  |  |
| peas intercrop | 1.105 | 31 | (54.4\%) | 8610 |
| Maize+ Reans A | 0.890 | 14 | (24.6\%) | 5997 |
| Maize+ Beans B | 0.951 | 13 | (22.8\%) | 3977 |
| Maize+Pigeon |  |  |  |  |
| Note: A $\quad$ refer | to first season (October to February). |  |  |  |
|  | to second season (March to September). |  |  |  |
|  | ers to Gros | Margin |  |  |

As it can be noted from Table 4.2, farmers in the study area prefer pure stand cropping in their irrigated plots. The irrigated crop enterprises are mainly cash crops. The irrigated crops given first priority by the farmers are Karella, French Beans and Kale while the others are either given second or third priority. The first priority crop are those which the farmers must grow in their irrigated plots every year.

Karella, an Asian vegetable mainly grown for export is the most popular horticultural crop in the study area. It was grown by 59.6 percent of the farmers in the entire sample of 57 respondents. 35.3 percent of those farmers who had grown Karella, which is equivalent to 21.1 percent of the sampled farmers, indicated that they give it first priority every year in their irrigated plots. It is the crop given first priority by the largest number of farmers. The farmers argued that the crop could be grown in any of the two seasons and must occupy at least 0.1 to 0.2 hectares. According to the farmers views once Karella is established, it continues yielding for a longer time compared to other crops, provided proper care especially on protection against diseases and insect pests is maintained. Of all the crops grown along the Yatta canal. Karella had the highest gross margin per hectare. Duthi, another Asian vegetahle mainly grown for
export is the second most popular crop. However no respondent had this crop as the first priority every year in the irrigated plots.

French beans, also grown for export had the third position in popularity as shown in Table 4.2. 31.6 percent of the respondents in the entire sample had grown French beans. However the crop's average gross margin per hectare which is Kshs. 20959 is quite low compared to the gross margins of most of the crops. 50 percent of those farmers who had grown french beans, which is equivalent to 15.8 percent of the sampled farmers, had French beans as their first priority crops in their irrigated plots every year. The farmers' argument was that french beans take a very short time to mature ( 45 days) and therefore one starts earning from the crop quite early compared to other crops. The farmers also indicated that they grow the crop every season and it must occupy at least 0.1 to 0.2 hectares.

Kale was another crop given first priority by some farmers. The crop was mainly grown for local consumption. It was grown by 22.8 percent of the respondents in the entire sample. 38.5 percent of those farmers who had grown Kale, which is equivalent to 8.8 percent of the sampled farmers, indicated the crop as their first priority crop every year in their irrigated plots. Farmers indicated they grow the crop
in any of the seasons and must occupy at least 0.1 to 0.2 hectares. All those farmers with Kale as their first priority had Tomatoes as their second priority crop every year.

The unirrigated plots were mainly for food crops production. In those plots, intercropping was found to be the most common practice. The most popular intercrop was the maize, beans and pigeon peas intercrop (Mixture). It was grown by 54.3 percent of the entire sample. Intercropping has well known advantages over sole cropping namely: the need to maximize the returns from the most limiting factor, land the need for security in case of natural crop catastrophies such as drought, diseases and/or pest outbreaks; and the beneficial effect of legumes on other crops (Norman, 1973; Mukhebi, 1981).

### 4.1.2 Lahour Availability And Use:

The survey took account of the available family and permanently hired labour to determine the potential labour supply. From the field survey data, 56.4 percent of the sampled farms had one or more permanently hired labourer.

Hired casual labour was considered under working capital. The field survey revealed that 60 percent of the sampled farmers had hired casual labourers at one time of the year or another. The wage for casual labourers was Kshs. 20
per six hours per working day.
From the survey data, an average farm family had 2 school children aged between 7 and 14 years, 1 school child aged above 14 years, 2 adults aged between 15 and 64 years and 1 permanent hired labourer. Therefore the average available labour per farm family including school children total to 6 persons.

Average monthly and yearly total average labour supply depends on the number of family members available for farm work at any one particular month. Observation during the field survey revealed that farmers avail themselves for farm work all days of the month except on Sundays and during public holidays. Therefore there are 26 working days for all other months except the months of February, April and December. February has 24 working days since it is shorter than the other months. December and April were taken to have 23 working days since they have many holidays. School children were only available for farm work mainly during their school holiday months (April. August and December). However, those from nearby schools were available for farm work on Saturdays. Labour supply in this study is given in man-hours and one full working day was taken to have 8 working hours. Table 4.3 shows the average monthly and yearly total labour supply in man hours. The weighting system
adopted from Norman (1973) mentioned earlier in Table 3.2 in chapter 3 was used in the calculations of the figures given.

Table 4.3 Average monthly and yearly Total Labour Supply. In man-hours (m-hrs) per farm.
JANUARY 577

FERRUARY 536
MARCH 577
AFRIL 797
MAY 577
JUNE 577
JULY 577
AUCUST 906
SEPTFMBER 577
OCTORER 577
NOVEMBER 577
DECEMBER 797
TOTAL 7652

The total annual labour supply is 7652 man-hours. The School holiday months of April. August and December are shown to have a higher labour supply level.

Since livestock enterprises were not considered in this study, the above indicated labour supply levels are less 5 man-hours a day for livestock use. (The field survey revealed that on average, each farm family required 5 manhours a day for livestock use).

A calendar of operations which is based on the demand seasons of the various horticultural crops and the climatic
factor mainly rainfall and the cold July weather conditions is shown in Appendix 2.

### 4.1.3 Capital Availability And Use:

Capital was estimated using total cash expenditure by each farmer on the various farm inputs such as seeds, fertilizers, crop protection chemicals, casual labour, and land preparation for all crops. An average for all the farmers was calculated to give the capital available for an average farmer for use in the production of the various crops. From the calculations, an average farmer requires Kshs. 3.086 per year for the irrigated crop enterprises and Kshs.1,475 per year for the unirrigated enterprises. Hence the total cash required by an average farmer per year is Kshs. 4,561. Therefore irrigated enterprises required 67.7 percent of the total cash.

Demand for capital per crop as reflected by the cost of production for various crop enterprises is shown in Table 4.4


As it was indicated earlier, a crop's average cost of production per hectare estimates the capital demand for that particular crop. On the irrigated crop enterprises, French beans had the highest demand for capital of Kshs. 13,346 per hectare, followed by Karella with a capital demand of Kshs 10.749 per hectare. Field survey interviews indicated crop protection chemical and fertilizers are the most expensive components.

On the unirrigated crop enterprises, an interesting observation is that, second season crops have less demand for
capital. The reason is that during this season, farmers hardly use any fertilizer or purchased manure since the rain normally comes when the first season crops have not fully been removed from the farms. So farmers do the land preparation and planting in hurry.

### 4.1.4 Income Obtained undor the Existing farming system

Gross margins for all the irrigated crop enterprises were calculated for each of the sampled farmers. These gross margins were then summed up and averaged for all the farmers to give the average gross margin per farmer. Similar calculations were done for the unirrigated crop enterprises. Sum of the average gross margin for the irrigated crops and the unirrigated crops gave the average total gross margin per farmer. The latter was used as an estimator of the total farm income. From the calculations, the estimated total farm income was Kshs. 23,219 out of which Kshs. 13,609 are contributed by the irrigated crops and Kshs. 9,610 are contributed by the unirrigated crops.

Irrigated crop enterprises contribute 58.6 percent of the total farm income. This is quite a high contribution especially when it is considered they occupy only 15.5 percent of the farmed land per average farm family holding.

The average gross margin of Kshs. 13609 for the irrigated crops in the existing farming system is obtained from an average farm where the irrigated hectarage is 0.461 hectares per year. Based on these figures a gross margin of Kshs. 29.521 for irrigated crops would be obtained if the maximum permitted irrigable area of 1 hectare per year is fully utilized by the farm family. The total gross margin would then be Kshs. $39,131$.

### 4.2 Linear Programming Results

### 4.2.1 Specific Linear Programming Models

The key issue in this study was to develop optimal farm plans for the farmers. To ensure realism in the study, specific linear programming models were developed. This involved developing a general unrestricted linear programming model on which specified constraints, such as subsistence requirement and specific priority crops, were introduced. The specific priority crops considered are those given first priority by the farmers as discussed under section 4.1 and they include Karella, French beans, and Kale. On the subsistence requirement constraint it should be noted that farmers in the study area expressed their desire to meet their basic subsistence needs from their own farms. Hence introduction of subsistence requirement constraint in the
linear programming models is quite in order with the farmers' liking.

This approach of developing specific linear programming models is quite realistic and ensures the results obtained have a wide scope of application. The approach has the support of Blagburn (1972): Stewart (1961) and Johl et al (1973).

Rlagburn (1972) argued that the choice of a particular farming system may be influenced by personal preferences for particular kinds of crops or livestock even at the expense of maximization of profits. He further noted that with limited capital, the need for quick cash returns may be an overriding factor. Stewart (1961) cited soil fertility and crop husbandry as reasons for imposing specific crop restrictions in a linear programming problem. Johl et al, (1973) stated that farm plans should take account of farmers likes and dislikes. This means farmers' preferences and priorities should be considered in farm planning problems.

Going by the above discussion, three general farm models were developed; three Karella farm models were developed; one French beans farm model was developed and two Kale farm models were developed. Common constraints to all the specific linear programming mnतels are: two unirrigated land constraints, two irrigated land constraints, twelve labour
constraints and working capital constraint. Details about each specific linear programing model are given here below.

## The three General Farm Models

General farm model 1: based on the aggregate data; without labour hiring activities and subsistence requirement constraint.

General farm model 2: based on the aggregate data; without labour hiring activities and with subsistence requirement constraint.

General farm model 3: Also based on the aggregate data; with labour hiring activities and subsistence requirement constraint.

The three Karella Farm Models:
Karella farm model 1: Is like general farm model 3 but with at least 0.1 hectares of Karella crop in the first season as an added constraint.

Karella farm model 2: Is like general farm model 3 but with at least 0.1 hectares of Karella crop in the second season as an additional constraint.

Karelia farm model 3: Is like general farm model 3 but with at least 0.1 hectares of Karelia crops in the first and second seasons as additional constraints.

The French beans Farm model:
The French beans farm model is based on the aggregate data and like general farm model 3, it has labour hiring activities and subsistence requirement constraints but in addition, it has at least 0.1 hectares of French beans crops constraints in the first and second seasons.

The Two Kale Farm Models:
Kale farm model 1: Is just like general farm model 3 but with at least 0.1 hectares of Kale crop in either/or both the first and the second seasons as added constraint (s).

Kale farm model 2: It is like Kale farm model 1 but with at least 0.1 hectares of tomatoes crop in either/or both the first or/and second seasons as additional constraint .(s).

As it was mentioned earlier, the subsistence requirement constraint is met using the maize, beans and pigeon peas intercrop since it is the most popular food cropping method in the study area. 0.75 hectares of this intercrop is
sufficient to give the minimum required maize and beans per annum.

### 4.2.2 Sbecific Model Results And Discussion

(a) Results of general farm models 1,2 and 3

Table 4.5 shows the optimal farm plans for the three general farm models. This indicates the optimal combination of crop enterprises, the level of production of each of the crop enterprises in hectares and the gross margin earned from each of the crop enterprises in Kshs.

Table 4.5 Optimal farm plans for the three General farm models

| Activity | Model 1 |  | Model 2 |  | Model 3 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (Irrigated Enterprises) | Levels <br> ( Ha ) | GM <br> (Kshs) | Level <br> (HA) | $\begin{gathered} \text { GM } \\ \text { (Kshs) } \end{gathered}$ | Level ( Ha ) | $\begin{gathered} \mathrm{GM} \\ \text { (Kshs) } \end{gathered}$ |
| Cabbage A | 0.2928 | 11416 | 0.3817 | 14591 | 0.4235 | 16188 |
| Valore A | 0.2014 | 9104 | 0.1183 | 5347 | 0.0765 | 3459 |
| Cabbage B | 0.2316 | 8853 | 0.3433 | 13120 | 0.382 | 14603 |
| Valore B | 0.2536 | 11463 | 0.1453 | 6566 | 0.0963 | 4353 |
| Okra B | 0.0148 | 616 | - | - | - | - |
| Bullet Chillies | B | - | 0.0115 | 576 | 0.0217 | 1087 |
| (Unirrigated crop enterprises) |  |  |  |  |  |  |
| Maize and Bean |  |  |  |  |  |  |
| Mixture A | 0.382 | 2296 | 0.17 | 1019 | 0.17 | 1019 |
| Maize and |  |  |  |  |  |  |
| Pigeon peas |  |  |  |  |  |  |
| Mixture | 0.8129 | 6644 | 0.0876 | - 716 | 0.42 | 3433 |
| Pigeon peas | 0.1443 | 816 | 0.3324 | 41882 | - |  |
| Maize Beans |  |  |  |  |  |  |
| Pigeon peas |  |  |  |  |  |  |
| Mixture | - | - | 0.75 | 6457 | 0.75 | 6457 |
| Total GM |  | 51207 |  | 50275 |  | 50318 |
| GM from Irrigat | ed crop | 41452 |  | 40200 |  | 39690 |
| GM from Unirrig | ated crops 9755 |  |  | 10075 |  | 10909 |

NOTE: 1) In addition to the above, general farm model 3 had labour hiring activities for the month of March where 84 man-hours were taken, requiring Kshs.279.70.
2) $A$ and $B$ refer to first and second seasons respectively.
3) GM refers to Gross Margin.

Table 4.6 shows the limiting resources for the optimal farms plans in Table 4.5. The shadow prices of the limiting resources are also shown. Shadow price is the marginal value
productivity of a resource at the optimal solution level. It indicates the increase or reduction in total gross margin that would occur if one unit more or one unit less of a resource was used while all the other constraints and activities in the optimal plan remain constant. Limiting resources take positive shadow prices.

Table 4.6: Limiting Resources and their shadow prices for the three optimal farm plans in Table 4.5


NOTE: $A$ and $B$ refer to first and second season respectively.

The three optimal farm plans for the general farm models, fully utilize the available irrigable land. Except for model 1. the others fully utilize the available unirrigated land. General farm model 1 leaves 0.2128 hectares of second season unirrigated land unutilized (See Appendix 4). The shadow prices for the irrigated land
constraints are quite high and this shows there is a great potential to increase the farmers income even further by increasing the area under irrigation.

Labour during the months of February, March and October is found to be a limiting resource in all the three optimal Earm plans as shown in Table 4.6. It is during those months when the seasonal rains begin in the study area, hence farmers are busy involved with harvesting, land preparation and planting operations especially for the unirrigated crop enterprises. Such operations added to the operation undertaken for the irrigated crop enterprises lead to quite a high demand for labour. In addition, farm model 1 has January labour as a limiting resource. March labour is the most limiting resource in the three farm plans since in the three farm plans, the shadow price (marginal value product) of March labour is above the market price of labour which is Kshs. 3.30 per hour. This means it is economically feasible to hire casual labour during that month for all the three optimal farm plans. The February labour resource, though limiting in all the three plans, has it's shadow price above the market price for the second and third farm models. Therefore it is only in those two models' optimal farm plans where it is economically feasible to hire casual labour during the month of Fehruary. For October labour, shadow
price is above the market labour price in the first general farm model. Thus in the optimal farm plan of general model 1 , it is economically feasible to hire casual labour during the month of October.

Working capital was found to be a limiting resource in all the three optimal farm plans. From the shadow prices (marginal value products) it can be noted that the increments on every Kenya Shilling (Kshs) invested in the optimal farm plans for farm models 1, 2 and 3 are $48.3 \%, 77.4 \%$ and $83.1 \%$ respectively. Comparing such increments with the current interest rate charged by lending institutions for agricultural loans which is 14 名 (Republic of Kenya, 1990b). it is paying for farmers to obtain such loans.

The income levels, (in terms of total gross margins) obtainable with the three optimal farm plans are Kshs.51,207; Kshs.50.275; and Kshs.50.318 for models 1,2 and 3 respectively as shown in Table 4.5 . Contributions of the irrigated crops to the total gross margin figures given above are Kshs.41,452, Kshs. 40,200 and Kshs. 39,690 for farm models 1,2 and 3 respectively while the contributions of the unirrigated crops are Kshs. 9,755, Kshs. 10,075 and Kshs. 10,909 for farm models 1,2 and 3 respectively. As can be noted from Table 4.5 above, irrigated crop occupy a total area of 1 hectare for the two growing seasons in a year for
all the farm models while the unirrigated crops occupy a total area of 2.3 hectares for the two growing seasons in a year for farm model 1 and 2.51 hectares per year for farm models 2 and 3 . Comparing the total income levels obtainable with the developed optimal farm plans and the income level of Kshs. 23,219 obtainable under the existing farming system which is based on an average farm, it is noted that the total average farm income per farm family would be increased by $120.6 \%, 116.5 \%$ and $116.7 \%$ as a result of the three optimal farm plans namely general farm models 1, 2 and 3 respectively. In the three optimal farm plans, the percentage contribution of irrigated crop enterprises to total income (total gross margin) is quite high. These contributions are 80.9\%, 80\% and 78.9\%. for models 1, 2 and 3 respectively. Compared to the existing farming system, income from irrigated enterprises increased by 204.6\%, 195.6\% and $191.6 \%$ while income from unirrigated enterprises increased by $1.5 \%, 4.8 \%$ and $10.6 \%$ for farm models 1,2 and 3 respectively as a result of the optimal farm plans.

Since the developed optimal farm plans fully utilized the available irrigable land, a further comparison in income levels is made for the developed optimal farm plans and a case where the existing farming system is assumed to fully utilise the available irrigable land. In this case the
existing farming system would have a total gross margin of Kshs. 39.131 with irrigated crops contributing Kshs. 29.521 and the unirrigated crops contributing Kshs. 9610 . Results of the comparison show that farm family income would be increased by $30.8 \%, 28.5 \%$ and $28.6 \%$ for farm models 1,2 , and 3 respectively. Similarly, income from irrigated crops would increase by $42.4 \%, 36.2 \%$ and $34.4 \%$ while that from unirrigated crops would increase by $1.5 \%, 4.8 \%$ and $10.6 \%$ for farm models 1,2 and 3 respectively as a result of the optimal farm plans.

Other details for the above farm models such as the value at which a nonbasic variable enters the solution, the range of feasibility for the basic variables and the range of feasibility for the constraints are given in Appendices 3,7 and 8 respectively.
(b) Results for Karelia Models 1,2 and 3

Table 4.7 shows the optimal farm plans for the three Karella constrained farm models. The table shows the various activities and their levels in hectares as well as their gross margins in Kshs.

Table 4.7: Optimal plans for the Karella constrained farm models


Table 4.8 shows the limiting resources for the optimal farm plans in Table 4.7. Shadow prices for the limiting resources are also given.

Table 4.8 Limiting resources for the Karella constrained farm models

| Limiting Resource | Shadow Frice (Kshs) |  |  |
| :---: | :---: | :---: | :---: |
|  | Model 1 | Model 2 | Model 3 |
| March labour | 20.65 | 21.25 | - |
| Capital | 8.05 | 8.45 | 12.70 |
| Unirrigated land $B$ | 268 | - | 5652 |
| Irrigated land A | 4674 | 3190 | - |
| Irrigated land B | 13954 | 12748 | 0.0039 |

NOTE A refers to first season $B$ refers to second season

Except for farm model 3, all the other optimal farm plans fully utilize the irrigable land. The optimal farm plan for farm model 3 has 0.221 hectares of irrigable land in first season unutilized (see Appendix 11). For the unirrigated land, the optimal farm plans for the three Karella farm models do not fully utilize the first season unirrigated land. $0.0897,0.2171$ and 0.17 hectares of first season unirrigated land are not utilized for farm models 1 , 2 and 3 respectively. (see Appendices 9, 10, and 11). Optimal farm plan for farm model 2 leaves 0.0471 hectares of second season unirrigated land unutilized (see Appendix 10). The other optimal farm plans fully utilize second season unirrigated land. The shadow prices especially for irrigated
land during the second season are quite high and this shows there is a great potential to increase farm family income by increasing the area under irrigation.

March labour is the only labour limiting resource and it holds for the optimal farm plans for models 1 and 2. The shadow prices for March labour for models 1 and 2 are Kshs.20.65 and Kshs.21.25 respectively. This means one additional man-hour invested in the optimal farm plan during the month of March would generate Kshs. 20.65 and Kshs.21.25 for farm models 1 and 2 respectively. Compared to the current market price for labour in the study area which is Kshs.3.30 per manhour, there is a net gain of Kshs.17.35 and Kshs.17.95 from every man-hour invested in optimal farm plan for farm models 1 and 2 respectively. With such increments to the total gross margin, it is economically feasible to hire casual labour during the month of March in the two optimal farm plans.

Working capital is a limiting resource to all the three optimal farm plans with it's shadow prices being Kshs. 8.05, 8.45 and 12.70 for farm models 1,2 and 3 respectively. The net increments for every Kenya Shilling of working capital invested in the optimal farm plans are Kshs. 7.05 (705\%): 7.45 (745\%) and 11.70 (1170\%) for farm models 1,2 and 3 respectively. Compared to the current interest rate of $14 \%$

Charged by lending institutions for agricultural loans, such substantial increments show it is economically feasible to obtain credit from such lending institutions.

As shown in Table 4.7, the farm income (total gross margin) obtainable with the Karella constrained optimal farm plans are Kshs. 49,499, Kshs. 48,306 and Kshs. 42,082 for farm models 1,2 and 3 respectively. Out of the total gross margin figures given above, the contributions of irrigated crops are Kshs. 39,441 . Kshs. 39,441 and Kshs. 32,191 for farm models 1,2 and 3 respectively while the contributions of unirrigated crops are Kshs. 10,058 , Kshs. 8,865 and Kshs. 9,891 for farm models 1,2 and 3 respectively. As can be noted from Table 4.7 above, irrigated crops occupy a total area of 1 hectare during the two growing seasons for farm models 1 and 2. Farm model 3 has the total area occupied by irrigated crops as 0.779 hectares. During the two growing seasons unirrigated crops occupied a total area of 2.42 hectares for farm model 1, 2.29 hectares for farm model 2 and 2.34 hectares for farm model 3 .

The net increments in total farm income resulting from the optimal farm plans above the average farm income of Kshs.23.219 under the existing farming system are $113.2 \%$, $108 \%$ and $81.2 \%$ for Karella farm models 1,2 and 3 respectively. The increments in farm income from irrigated
crop enterprises as a result of the optimal farm plans are 189.8\%, 189.8 and $136.5 \%$ for Karella farm models 1, 2 and 3 respectively. Increments in farm income from unirrigated crop enterprises as a result of the optimal farm plans are 4.66\%, $-7.75 \%$ and $2.92 \%$ for Karella farm models 1,2 and 3 respectively.

The contributions of irrigated crop enterprises to the total farm income in the three optimal farm plans are: 79.7\%, 81.6\% and $76.5 \%$ for Karella farm models 1,2 and 3 respectively.

The optimal farm plans fully utilize the available irrigable area and hence a further comparison of farm income levels is made for the developed optimal plans and a case where the existing farming system also fully utilizes the irrigable land available. In this case the net increments resulting from the optimal plans would be $26.5 \% \quad 23.5 \%$ and $7.5 \%$ above the considered existing level of Kshs. 39,131 for Karella farm models 1,2 and 3 respectively. Similarly, income from irrigated crops would increase by $30,2 \%$, $33.6 \%$ and 9\% above the considered existing level of Kshs. 29,521 for farm models 1,2 and 3 respectively while the net increments for unirrigated crop would be $4.66 \%,-7.75 \%$ and $2.92 \%$ above the considered existing level of Kshs. 9,610 for farm models 1,2 and 3 respectively.

Other details for the Karella constrained farm models such as the value at which a nonbasic variable enters the solution, the range of feasibility for the basic variables and the range of feasibility for the constraints are given in Appendices 3, 12 and 13 respectively.
(c) Results for French Beans Farm Model:

Table 4.9 shows the optimal farm plan for a French beans farm model. This is a farm model which ensures there is at least one french bean crop enterprise in each of the growing seasons. Activities undertaken and their levels in hectares as well as their gross margins are shown in the table.

Table 4.9: Optimal farm plan for the French beans farm model

| Activity | Level | Gross Margin (GM) |
| :--- | :--- | :--- |
| (Ha) | (kshs) |  |

(Irrigated Crop
Enterprises)

| Cabbage A | 0.3429 | 13108 |
| :--- | :--- | ---: |
| F/beans A2 | 0.1 | 2096 |
| Cabbage B | 0.0627 | 2397 |
| F/beans B1 | 0.1 | 2096 |
| (unirrigated Crop |  |  |
| enterprises) |  |  |
| Maize \& P.peas mixture | 0.42 |  |
| Maize beans \& P.peas | 0.75 | 6457 |
| mixture |  | 29587 |
| Total GM | 19697 |  |
| GM from irrigated crops | 9890 |  |

```
NOTE: A refers to first season.
    B refers to second season.
    A2 refers to second F/beans crop during first season.
    B1 refers to first F/heans crop during second season.
```

Table 4.10 shows the limiting resources and their shadow prices for the optimal farm plans in table 4.9.

| Table 4.10Limiting resources for the French Beans <br> constrained optimal farm plan. |
| :--- |
| Limiting Resources Shadow Price |
| March labour <br> Capital <br> Unirrigated B $1.526 \times 10-5$ |

NOTE : A refers to first season. B refers to second season.

The optimal farm plan for the French beans farm model underutilize most of the available resources. It leaves 0.17 hectares of unirrigated land in first season, 0.0571 hectares of irrigated land in first season and 0.3373 hectares of irrigated land in second season unutilized (see Appendix 14). In this optimal farm plan, labour is only a limiting resource on the month of March and even then, the shadow price is too low and is rounded to zero. Thus it is not at all economically feasible th hire labour during that month.

Working capital is a limiting resource in that optimal farm plan and it's shadow price is Kshs.12.70. This means that an additional Kenya Shilling of working capital invested in the optimal farm plan would have a net increment of Kshs. 11.70 which is the same as $1170 \%$ increment. Compared to the current interest rate of $14 \%$, such an increment makes obtaining credit with this optimal farm plan worth paying.

The total farm income (total gross margin) for this optimal farm plan is Kshs.29.587. Out of the total gross margin figure, irrigated crops contribute Kshs. 19, 697 while unirrigated crops contribute Kshs. 9,890. The irrigated crops occupied a total area of 0.6 hectares during the two growing seasons while the unirrigated crops occupied a total area of 2.34 hectares during the two growing seasons. Comparing the total gross margin of the optimal farm plan to the total farm income of Kshs. 23.219 under the average existing farming system, there is an increment of $27.4 \%$ as a result of the optimal farm plan. Farm income from irrigated crop enterprises would increase from the existing level of Kshs. 13, 609 to Kshs. 19, 697 with the optimal farm plan. This represents a net increment of $44.7 \%$. Unirrigated crop enterprises income would increase from the existing level of Kshs.9,610 to Kshs.9,891 with the French beans constrained optimal farm plan. This represents a net increment of $2.9 \%$.

As mentioned earlier the French beans optimal farm plan utilizes 0.6 hectares of the available irrigable land per year. For comparison purposes, the optimal plan's total gross margin is viewed against an existing farming system which is taken to utilize 0.6 hectares of irrigable land in a year. Based on the figures on income given earlier in section 4.1.4. such an existing farming system would have a total gross margin of Kshs. 27,322 with the contribution of irrigated crops being Kshs. 17,712 while that for unirrigated crops is Kshs. 9610. From the comparison, the optimal farm plan would be superior by $8.29 \%$ in terms of total gross margin, by $11.2 \%$ in terms of gross margin from irrigated crops and by $2.9 \%$ in terms of the income from unirrigated crops.

Other details for the French Beans constrained farm model such as the value at which a nonbasic variable enters the solution, the range of feasibility for the basic variables and the range of feasibility for the constraints are given in Appendices 3,17 and 18 respectively.
(d) Results For the Kale Farm Models 1 \& 2

Table 4.11 shows the optimal farm plans for two Kale constrained farm models. The activities to undertake, their levels given in hectares and their gross margins given in

Kenya shillings are indicated.
Table 4.11: Optimal farm plans for Kale farm models


Table 4.12 shows the limiting resources for the optimal farm plans in Table 4.11 here above and their shadow prices:

Table 4.12: Limiting Resources for the Kale constrained optimal farm plans

Shadow Price (Kshs)
Limiting Resources Model 1 Model 2

February labour 4.65
March labour
9.40
15.65
$\begin{array}{lll}\text { October labour } & 0.25 & 19.30\end{array}$
Capital
1.831
4.806

Unirrigated land A 3472
Unirrigated land B 1062154
Irrigated land A 2592410447
Irrigated land B 3260515118

NOTE: A refers to first season
B refers to second season
The two optimal farm plans shown in Table 4.11 fully utilize the irrigable land available in the two seasons. The shadow prices for irrigated land are quite high and this shows farmers farm income could greatly be increased if the areas under irrigation is increased. Unirrigated land in the second season is fully utilized by the two optimal farm plans. However 0.0231 hectares of the first season
unirrigated land is unutilized by Kale farm model 2 (see Appendix 16)

In both optimal farm plans, March and October labour resources are limiting, in addition, February labour is a limiting resource for farm model 1. As far as the limiting labour resources are concerned, it is not economically feasible to hire casual labour during the month of October since the shadow price is far below the current labour hiring price.

Working capital is a limiting resource in both the optimal farm plans. The net increments to every additional Kenya shilling of working capital invested in the optimal farm plans are $83.1 \%$ and $380.1 \%$ for models 1 and 2 respectively. Compared to the interest rate of $14 \%$ charged by lending institutions for agricultural loans, such increments are too great. It is therefore economically feasible to obtain credit to invest in the optimal farm plans while holding all other factors constant.

As shown in Table 4.11 , the total farm income (total gross margin) obtainable with the Kale constrained optimal farm plans are Kshs. 48,778 and Kshs. 46,004 for Kale farm models 1 and 2 respectively. Out of the total farm income figures given above, irrigated crops contributions are Kshs. 38,085 and Kshs. 36,318 for farm models 1 and 2 respectively
while the contributions of the unirrigated crops are Kshs. 10,909 and Kshs. 9,716 for farm models 1 and 2 respectively. During the two growing seasons, irrigated crops occupied a total area of 1 hectare for both farm models while unirrigated crops occupied a total area of 2.51 hectares for both farm models.

With the optimal farm plans, net increments of $110 \%$ and 98.18 above the average total farm income of Kshs. 23,219 for the existing cropping system would be realized for models 1 and 2 respectively. Income from irrigated crop enterprises could be increased by $179.9 \%$ and $166.9 \%$ while that from unirrigated crop enterprises could be increased by $13.5 \%$ and $1.1 \%$ with adoption of the developed optimal farm plans for kale models 1 and 2 respectively.

The contributions of the irrigated crop enterprises to the total farm income are quite substantial for they represent $78.1 \%$ and $78.9 \%$ of the total farm income obtainable with the optimal farm plans for Kale farm models 1 and 2 respectively.

As noted earlier, both Kale optimal farm plans fully utilize the available irrigable land. For comparison purposes, the total gross margin of the developed optimal plans is viewed against an existing farming system which is also taken to fully utilize the available irrigable area.

From the comparisons, the optimal farm models 1 and 2 were found to be superior by $24.65 \%$ and $17.57 \%$ respectively over the considered existing farming system which has a total gross margin of Kshs. 39,131 . Considering the gross margin from irrigated crops, the optimal farm plans 1 and 2 are superior by $29 \%$ and $23 \%$ respectively over the considered existing farming system level of Kshs. 29,521. Regarding the gross margin from unirrigated crops, the optimal farm plans are superior by $13.5 \%$ and $1.1 \%$ over the considered level of Kshs. 9610.

Other details for the Kale constrained farm models such as the value at which a nonbasic variable enters the solution, the range of feasibility for the basic variables and the range of feasibility for the constraints are given in Appendices 3,17 and 18 respectively.

### 4.3 Comparative Discussion Of Alternative Optimal Farm Plans

 Table 4.13 summarizes all the optimal farm plans developed by considering some of the important factors such as irrigated area (Irr.L), unirrigated area (Unirr.L), gross margins from irrigated enterprises (GM.Irr.L) and unirrigated crop enterprises (GM.Unirr.L), total gross margins (TGM), marginal value product for capital (MVP.Cap), and marginal value product for irrigated land (MVP.Irr.L) during each ofthe seasons.
Table 4.13 Summary of all optimal farm plan

| Model |  | 1rr.L. |  | Unitr.L. |  | GM.Irr.L. <br> (Kshs) | $\frac{\text { rim. (hirr. } L}{(\mathrm{Kshs})}$ | TriM. <br> (Kshs). | MUP Can. <br> (Rshs). | MVP IrT.lA. <br> (kshs). | MVE irr.LB (kshs). |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | A | B | A | B |  |  |  |  |  |  |
| CFM 1 | 1 | 0.5 | 0.5 | 1.34 | 0.9572 | 41452 | 9755 | 51207 | 1. 483 | 22545 | 26021 |
| PFM 2 | 2 | 0.5 | 0.5 | 1.34 | 1.17 | 40200 | 10075 | 50275 | 1.774 | 25760 | 32555 |
| GFM 3 | 3 | 0.5 | 0.5 | 1.34 | 1.17 | 39690 | 10628 | 50318 | 1.831 | 25925 | 32606 |
| FRFM | 1 | 0.5 | 0.5 | 1.25 | 1.17 | 39441 | 10058 | 49490 | 8.05 | 4674 | 13954 |
| YRFM 2 | 2 | 0.5 | 0.5 | 1.12 | 1.12 | 39441 | 8865 | 49306 | 8.45 | 3190 | 12748 |
| KRFM | 3 | 0.5 | 0.5 | 1.17 | 1.17 | 32191 | 9891 | 42082 | 12.70 | - | 0.0039 |
| F/BFM |  | 0.44 | 0.16 | 1.17 | 1.17 | 19897 | 9890 | 29587 | 12.70 | - | - |
| KLFM | 1 | 0.5 | 0.5 | 1.34 | 3. 17 | 38085 | 10909 | 48778 | 1.931 | 25924 | 32605 |
| KLFM | 2 | 0.5 | 0.5 | 1.31 | 1.17 | 36318 | 9716 | 46004 | 4.806 | 10447 | 15119 |
| EFS | 1 | 0.229 | 0.233 | 1.34 | 1.17 | 13609 | 9610 | 23219 | - | - | - |
| EFS | 2 | 0.5 | 0.5 | 1.34 | 1.17 | 29521 | 9810 | 39131 | - | - | - |

NOTE: GFM refers to general farm model.
F/BFM refers to French bean farm model.
KRFM refers to Karella farm model.
KLFM refers to Kale farm model.
EFS 1 refers to existing farming system based on an average farm.
EFS 2 refers to existing farming system when the irrigated land is comparable to that appearing in most of the optimal farm plans.
$A$ and $B$ refers to first season and second season respectively

From Table 4.13 it can be noted that most of the developed optimal farm plans fully utilize the irrigable land available in both seasons. However unirrigated land especially during the first season is underutilized in some of the cases. Irrigated land is a limiting resource in almost
all the developed plans and has quite high shadow prices.
Considering the total gross margins, the highest obtainable is Kshs. 51,207 and is for general farm model 1 while the lowest obtainable is Kshs. 29.587 for the French beans farm model. When the developed optimal farm plans are compared to the existing farming system which is based on an average farm, general farm model 1 gives the highest net increment in total gross margin with a value which is $120.6 \%$ above the existing level of Kshs. 23,219. French beans farm model gives the lowest net increment in total gross margin with a value which is $27.4 \%$ above the existing level. When the developed optimal farm plans are compared to the existing farming system which is taken to fully utilize the available irrigable land as is the case in most of the optimal farm plans, the highest percentage net increment noted is $30.8 \%$ and is for the general farm model 1 while the lowest percentage net increment noted is $7.5 \%$ and is for Karella farm model 3. Since the French beans farm model utilizes 0.6 hectares of the irrigable land, it was compared with an existing farming system which also utilizes 0.6 hectares and the total gross margin of the optimal farm plan was higher by $8.29 \%$ over that of the considered existing farming system.

The contribution of irrigated crop enterprises to the total gross margin are quite substantial, ranging between
81.6 percent for Karelia farm model 2 and $66.6 \%$ for the French beans farm model. Under the existing farming system which is based on an average farm, irrigated crop enterprises contribute $58.6 \%$ of the total farm income. The contribution of the irrigated crops to total gross margin in the existing farming system where it is assumed the available irrigable land is fully utilized is 75.44\%.

Capital is a limiting resource in all the cases. It is least limiting in the general farm model 1 where it's shadow price is Kshs 1.483 and most limiting in the French beans farm model and in the Karelia farm model 3 which tie at a shadow price of Kshs.12.70.

## CHAPTER 5

SUMMARY CONCLUSIONS AND RECOMMENDATIONS

### 5.1 Summary And Conclusions:

This study is a challenge to one of the priority issues in rural development namely improving small scale farmers income. This is being met through proposing optimal farm plans, with gross margin maximization as the objective function, to smallholder farmers practising irrigation along the Yatta Canal.

The specific objectives of the study are to describe the existing farming system for the smallholder farmers practising irrigation along the Yatta Canal; to develop optimal farm plans for those farmers under the existing resource constraints and other restrictive requirements; to show the superiority of the obtained optimal farm plans over the existing cropping system using gross margin comparisons criteria; to identify the main constraints to irrigated and unirrigated crop production along the Yatta Canal.

From the objectives, one hypothesis was postulated for testing. The hypothesis is that the current level of resource use is sub-optimal and hence farmers income can be increased by reorganising the existing resources and enterprises.

In all the optimal farm plans developed, the increments to total farm income (total gross margin) above the average
existing farming system income level were found to be quite substantial. The lowest increment was 27.4 percent and was recorded for the optimal farm plan for French beans farm model. All the other plans, except for Karella farm model 3 and Kale farm model 2, had increments above 100 percent. This meant farm income more than doubled. The highest increment in income was 120.6 percent and was recorded for general farm model 1 optimal plan. In all the cases, irrigated crops enterprises had the highest contribution to total farm income. This ranged from 66.6 percent to 81.6 percent for French beans and Karella farm model 2 plans respectively. Such a contribution is an indicator of the importance of irrigation in the study area. In all the cases, increments in incomes from irrigated crops enterprises (gross margins from irrigated crop enterprises) were quite high. These ranged from 44.7 percent with the French beans farm model optimal plan to 204.6 percent with the general farm model 1 optimal farm plan. Minor increments in income from unirrigated crops enterprises were noted with the highest increment shown as 10.6 percent for general farm model 3 plan.

Further comparisons of income were made whereby each developed optimal farm plan was compared to an existing farming system with the same irrigated hectarage as the
respective optimal plan. In all the cases, positive net increment in total farm (total gross margin) over the considered existing farming system levels were noted. The increments ranged between $7.54 \%$ and $30.86 \%$. This shows that the superiority of the optimal farm plans developed in this study over the existing farming system can not be solely attributed to the underutilization of the irrigable land in the existing farming system based on an average farm.

In view of the above findings, it is evidently clear that adoption of the developed optimal farm plans would increase farmers income. This implies that resource allocation in the existing farming system is sub-optimal and especially so in the irrigated plots. Therefore, the hypothesis for this study is accepted.

Working capital was found to be a serious limiting resource in all the farm models considered. The lowest and highest observed marginal value product for capital figures were Kshs. 1.483 and Kshs. 12.70 respectively. This means that the increments to every additional Kenya shilling of working capital invested in the optimal farm plans are higher than the current lending rate of 14 percent charged by leading institutions for agricultural loans. Assuming all other factors constant, this means it is economically feasible to obtain credit from such institutions. Such a
finding with regard to working capital confirms a general complaint raised by majority of the farmers during the field survey interviews. Farmers complained that some key horticultural crop inputs, namely, pesticides and fertilizers are too expensive. These coupled with the high demand for labour during certain months which necessitates casual labour hiring, make horticultural farming too expensive and prohibitive in terms of increasing area under these crops. As a solution to the capital problem, the farmers argued that since their farms have been adjudicated, they should be given the title deeds to use them as security to acquire loans from lending institutions. In addition, labour during some months was a limiting resource at varying degrees from model to model. In most of the farm models, labour hiring activities, though allowed for on monthly basis, did not enter the optimal solution even for those months when labour was a limiting resource as indicated by very high shadow prices of labour. Such a situation can only be explained by acute working capital scarcity.

The study also revealed that both irrigated and unirrigated lands were limiting resources in most of the farm models. Comparatively, irrigated lands had higher shadow prices than unirrigated lands in most of the cases. This meant that other factors held constant, irrigated land could
be increased at the expense of unirrigated land. One possible way of increasing the area under irrigation is by reducing the current seepage water loss in the canal which amount to 26.5 percent of the total water obstructed, equivalent to 62.4 percent of that available for irrigation. If seepage is reduced more water would be availed for irrigation use.

### 5.2 Recommendations

1. All the developed optimal farm plans are superior to the existing farming system in terms of farm income. Hence this study recommends adoption of these farm plans. Adoption of the plans would ensure that the existing resoure are optimally used. These optimal farm plans should also be reviewed overtime to ensure farmers continue to enjoy the maximum possible income from their resources.
2. As mentioned earlier, capital is a serious limiting resource in the developed farm models for Yatta farmers. This study therefore recommends that the farmers in the study area be assisted financially. This can be achieved through availing credit facilities to the farmers. Lending institutions should therefore be encouraged to avail credit facilities to small scale farmers and this may require government policy interventions. Further, since land in the study area has been adjudicated, the government can also
intervene by providing the farmers with their title deeds so that they can be used as security to obtain loans from lending institutions. With financial assistant, the farmers income would greatly be improved.
3. The study also recommends that a detailed study on the economic and technical aspects of lining -up the main canal and all the offtake furrows should be undertaken. This recommendation is based on the observation that seepage water loss is quite high amounting to $26.5 \%$ of the total water obstructed. With the canal lined up, seepage water loss would be reduced and hence more water would be availed for irrigation use. This could also ease the canals maintenance operations.
4. On maintenance of the canals, this study recommends that the farmers should be more involved not only in the cleaning of the offtake furrows but also in the cleaning of the main canal. Such a participatory approach would reduce dependency on treasury funds for the maintenance operations. Delays in obtaining the treasury funds cause delays in the canal's cleaning operations and this leads to temporary water shortages at times. With the farmers involved in the cleaning operations, such delays can be avoided.
5. One more way the government can influence farming activities in the study area is through relevant research and
extension. Intensive research work especially on the agronomic aspects of the horticultural crops grown in the study area is recommended. Aspects of nutrient requirements. pathology, climatic requirement, water requirements, as well as breeding should all be considered. Such studies should aim at increasing the yields of such crops per unit area. Such work would generate quite useful information since some of the crops do not have any literature available in the country. Apart from equipping extension officers with better skills for assisting farmers in their decision making, the information generated would be of great use to other researchers.

In addition there are some potential problems which can easily crop up where farmers venture into irrigation without seriously considering some technical aspects such as those of soil salinity and rising water tables. Such problems make land totally unproductive. Yatta can easily fall into such problems since farmers have just gone into irrigation on their own initiative. This study therefore recommends intensive research work to be done specifically on the water characteristic in relation to it's suitability for irrigation use; the soil characteristics and it's suitability for irrigation; and suitable irrigation methods.

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## APPENDIX 1

## OUESTIONNAIRE

(A) IDENTIFICATION:

1. Farmer's name
2. Location
3. Enumerator's name $\qquad$
4. Date of survey
5. Type of farm ownership (Permanent or Leased)
(b) BACKGROUND INFORMATION
6. What is the total size of your farm (acres).....
7. What size was actually farmed under irrigation during last year's cropping season i.e. 1989/1990 cropping season starting October 1989 and ending September 1990 (acres)
8. What size was farmed during last year's cropping season but not under irrigation
9. What is the maximum area in acres, that can be allowed for irrigation farming
10. Do you own any other farm anywhere else (Yes/No)
11. How big is that other farm (acres)
12. How is that farm utilized.
13. At what level of education did you reach at school.
(C) ENTERPRISES: (Fill answers to Question 14 in the space below it).

14(i) What crops and/or crop mixtures did you have in the irrigated portion during last year's cropping season?
(ii) What was the acreage for each of these enterprises?
(iii) When did you plant each of the enterprises?
(iv) What yields were realized for each enterprise and what was the price per unit for each?

.....................................................................................
15) What crops or crop mixtures did you grow in the unirrigated portion during last year's cropping season.
(i) First season - October/January rains
(ii) Second season - March/May rains

| Crop or Area Yield Amount | Amount | Amount |
| :--- | :--- | :--- | :--- | :--- |
| crop |  |  |
| Mixture | Acres) Harv. Sold or for home | retained |
| as seed |  |  |

(i) (First season)
(ii) (Second season)
(C) ENTERPRISE INPUTS (Use the space below Q. 15 for information on fertilizer)
15(i) What types of fertilizer did you use during last year's cropping season in the various crop enterprises in your farm?
(ii) In what amounts did you apply each of the fertilizers types to the various enterprises.
(iii) What was the price of each of the fertilizer type.

| a)Irrigated <br> enterprises <br> (crops \& crop | Fertilizer | name | Amount | Price per | Total |
| :--- | :---: | :---: | :---: | :---: | :---: |
| mixtures |  | (specifed | unit | cost |  |
| (Kshs) | (Kshs) |  |  |  |  |

b) First season un-irrigated enterprises
c) Second season un-irrigated enterprises
(16) Did you buy manure in any of last year's crop enterprises? Yes/No. If yes give the details here below:

| (a) Irrigated | Amount of | Pricel |
| :--- | :--- | :--- |
| enterprise | bought | unit |

## applied

(b) First season
unirrigated
enterprises
(c) Second season
unirrigated
enterprises
17) What types of pesticides did you use in the various crop and/or crop mixtures during last year's cropping season. (Give the details here below)

| (a)Irrigated <br> enterprises <br> (crops or and <br> crop mame | Pesticide | Amount | Price | Total |
| :--- | :--- | :--- | :--- | :--- |
|  |  | applied | unit | cost |
|  |  | units) | (Kshs) | (Kshs) |

(b) 1st season unirrigated enterprises
(c) 2nd season unirrigated enterprises
(18) For which of the various crops and crop mixtures
grown during last year's growing season did you buy seeds? (Give the details here below).

a) Irrigated crop Amount of Price per \begin{tabular}{c}
ar <br>

or crop mixture | Seed used |
| :---: |
| (specify units) |
| (Kshs) |

 

Total cost <br>
(Kshs.)
\end{tabular}

b) 1st season unirrigated crop/crop mixture
c) 2nd season
unirrigated
crop/crop
mixture
19) For which of the various crop or/and crop mixtures did you use a tractor, oxen or casual labourer for land preparation? Give the details here below.
(i) Tractor use

Enterprises
Area
Total cost
ii) Oxen Enterprises Area Total cost
use
iii) Casual Enterprises Area Total cost
labour
(E) LIVESTOCK:

## (E) LIUESTOCK:

E(1) State the livestocl: heads you owned last year 1989/90
(ii) What were the feed costs ner morith (1.5his)
(iii) What were the veterinary drugs cost
drigs and (lipling costs) per month Kshs
drugs per miगhth.......................
diprimg per menth
(Iv) How marly malforurs are spent on livestock per day
(v) During which muntha last year were you mill:ing your caws
(vi) What was the average milt: production per day (tree top bottles)
(vis) How much was consumed at home
(risi) How much was sold.
(ix) What waj the average price per bottle (Kshs)
(F) DTHEF ACTIVITIES:
21. Apart from farming, are you involved in any other money maling activity? Yes/Na, Give details here below:

| Activity | Manths of | Amount | Tatal Her |
| :--- | :--- | :--- | :--- |
|  | earning | per month year |  |

22(i) Did you obtain credit either in kind or in cash in farming during last year's cropping? Yes/No.
(ii) If yes, from where.....................
(iii) How much was the value (cash/kind) or your borrowing? Kshs
(iv) For what purpose did you borrow?....................
23)(i) Do you plan to get any (more) loans in future? Yes/No.
(ii) If no, why not.....................................
(H) LABOUR AVAILABILITY:
24) Who among the family members are available for farm work and for how long? (Give details here below).

| Member | Age | Number | Ferlod avallable for farm work (months) | Number of hours worked/ day | Number of days worked/ week | Type of work |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |


| Musband |
| :--- |
| vife |
| (wives) |
| Chlldren |
| $(11)>7<14$ |
| $(11)>14$ |

(25) (i) How many permanent labourers did you employ during last year's cropping season
(ii) What specific duties are the permanent labourers Meant to do?..............
(26) (i) Did you employ casual labourers?

Yes/No.
(ii) If yes during which months and for which operations?
(iii) How many days do they work per month
(iv) How many hours do they work per day?
(v) How much are casuals paid per day?

Kshs

| Month Operation No. of | No. of No. of | Amount Total |
| :---: | :---: | :--- | :--- | :--- |
| Labourers | Hours <br> worked/ worked/ <br> lay <br> day | Paid Amount <br> (Kshs) paid |
|  |  |  |

(I) FARM OPERATIONS AND LABOUR UTILIZATION:

27 (i) When did you do the following operations (nursery
establishment and management, land preparation, manuring, planting/fertilizer application, weeding, spraying/dusting, harvesting/grading/packing) on the farm for the various crop enterprises grown last year?
(ii) Approximately how long in days, does it take a man working 5 hrs per day to do the following operations on one ACRE of enterprises?

| Enterprise OperationDate of <br> operation <br> (month) | Days required for the <br> operation per acre of <br> enterprise. |
| :--- | :--- | :--- |

## J: IRRIGATION PRACTICES:

(28) (i) What is the frequency of water application in the dry months for each enterprise?
(ii) What is the frequency of application in the wet months for each enterprise?
(iii) Approximately how many hours would a man working 5 hrs per day take to irrigate one acre of cropped area?

| Enterprise Frequency of water Frequency of water | Hours |
| :--- | :--- | :--- |
| application in dry application in wet required |  |

(K) ESTABLISHMENT COST FOR IRRIGATED PERENNIAL CROPS OR CROP MIXTURES
(29) (i) When were the various perennial crops established?
(ii) When did you start harvesting?
(iii) What was the planting hired labour cost?
(iv) What was the seod/seedlings cost?
(v) Before the crop started yielding
(a) what were the yearly fertilizer costs?
(b) What were the yearly manure costs?
(c) What were the yearly protection chemicals costs?
and (d) what were the yearly hired labour charges?.

| Crop or/and Yearly | Planting | start of harvesting | Plant Ing labour | Seed/ seedl ing | Yearly ferti- | Yearly <br> manure | Yearly <br> chemicals |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| crop mixture hired | date | harvesting | labour | seediling | ferti- | manure | chemicals |
| casuals |  | date | costs | costs | 11zer <br> costs | cost 8 | costs |
| labour |  |  |  |  |  |  |  |
| costs |  |  |  |  |  |  |  |


$\qquad$
$\qquad$
(L) SUBSISTENCE REOUIREMENTS:

30 (i) How do you meet your family's subsistence food requirements? (tick correct answer).
a) Produce enough food from your farm
b) Produce some food then buy what remains
c) Produce cash crops sell them and buy food.

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(ii) In the case where you supplement the family food supplies with some purchases, during which months do you have to buy food?
(iii) How many bags of maize and beans does your family consume per 6 months season?

Maize bags
Bean bags
(iv) What other food stuff does your family use and at what rates?

Food stuff Weekly rate Cost
(M) COMPULSORY ENTERPRISES
(31) (i) Are there some crops/crop mixtures that must be grown each year in your irrigated plots (yes/no).
(ii) If yes, list them in the table here below showing the minimum area for each of them, and the time during the year it has to be planted. IOn the minimum area choose among $0.125,0.25,0.5$ and

## 1 acres categories);

| Compulsory crops | Minimum | Time when the |
| :--- | :--- | :--- |
| or crop mixtures | area | compulsory crop has |
|  |  | to be planted |

(N) PROBLEMS AND COMMENTS:
$32(i)$ What are the major problems you have been facing in relation to irrigation farming (i.e. in regard to labour, input acquisition, credit (working capital, marketing, extension and such others).
(ii) What are your suggested solutions to these problems?.

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|  |  | Jandary | perruasy | MARCH | APRIL | may | TUNE | suly | aucust | september | остовея | noverab | orcmaber |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| oram | A | 18 ${ }_{\text {N4 }} \mathrm{X}$ |  | - |  |  |  | L/P | $\begin{aligned} & \text { CC } \\ & \text { PL } \\ & \text { 1R } \end{aligned}$ |  |  | $\begin{aligned} & \text { 1f } \times 1 \\ & \text { Wo } \\ & \text { SP } \\ & \text { SV } \\ & \text { HV } \end{aligned}$ |  |
| ocia | B |  |  |  | L/8 | $\begin{aligned} & \mathrm{CC} \\ & \mathrm{PL} \\ & \text { IR } \mathrm{XB} \end{aligned}$ |  | $\begin{array}{ll} 18 & x 8 \\ w 0 \\ w 1 \\ s p & x_{1} \\ x 2 \end{array}$ |  | $\begin{aligned} & \text { IR XI } \\ & \text { WD XI } \\ & \text { SP X2 } \\ & \text { HV } \end{aligned}$ | $\begin{aligned} & \text { IR } \times 4 \\ & \text { XV } \\ & x_{4} \end{aligned}$ |  |  |
| CulLies | A |  |  | $\begin{aligned} & \text { In XA } \\ & \text { WD X1 } \\ & \text { SP } x 2 \\ & \text { HV } x 8 \end{aligned}$ | 18 <br> HV <br> $\times 4$ |  |  |  |  |  | N/E | c T/PL 1R X4 |  |
| crillies | - | $\otimes$ |  |  |  | $\begin{aligned} & N / E \\ & L / P \end{aligned}$ | $\begin{aligned} & c C \\ & T / P L \\ & I R X \mathbb{X S} \end{aligned}$ | $\begin{array}{ll} \text { 18 } & x 8 \\ \text { WD } & \times 2 \\ \text { SP } & \text { x2 } \end{array}$ | $\begin{array}{ll}17 & \times 8 \\ \text { W0 } & \times 1 \\ 8 P & \times 2\end{array}$ | $\begin{array}{ll} \text { IR } & \times 8 \\ \text { WD } & \times 1 \\ \text { GP } & \times 2 \\ \text { WV } & \times 8 \end{array}$ | $\begin{aligned} & \text { IR X8 } \\ & \text { WD X1 } \\ & \text { SP } x 2 \\ & \text { iv } \end{aligned}$ | IR HV X X |  |
| - beans | M | $\stackrel{c}{c}$ <br> PL <br> $19 \times 8$ | $\begin{aligned} & \text { IR } \mathrm{xs} \\ & \text { WD } \mathrm{xa} \\ & \mathrm{sp} \end{aligned}$ | $\begin{array}{ll} \text { IR } & x_{1} \\ \text { WD } & x_{1} \\ \text { IP } & \times 2 \end{array}$ | 18 HV W2 |  |  |  |  |  |  |  | L/P |
| * | A5 | L/P | CC <br> PL <br> 1月 XB | $\begin{array}{ll} \text { IR } & x 8 \\ \text { wo } & 12 \\ s P & \end{array}$ |  | $\begin{array}{ll} \text { If } \\ \text { H0 } \\ \times 4 \end{array}$ | T- |  |  |  |  | - |  |
| - | B1 |  | L/P | cc <br> PL <br> 18 $\times 8$ |  | $\begin{aligned} & \text { IR X4 } \\ & \text { WD } x 2 \\ & \text { SP } x 2 \\ & \text { HY } x 8 \end{aligned}$ | $\begin{array}{ll} 19 & x 4 \\ x_{0} & x_{4} \end{array}$ |  | - |  | - |  |  |
| * | 12 |  |  |  |  |  | L/P | $\begin{aligned} & \mathrm{CC} \\ & \text { PL } \\ & \text { IR } \end{aligned}$ |  |  | 18 \%V $\times 4$ |  |  |
| - | B3 |  |  |  |  |  |  | L/P | cc <br> PL <br> 1 Bx |  |  | $\begin{aligned} & \text { 1月 } x_{2} \\ & \text { HV } \times 4 \end{aligned}$ |  |


|  |  | JANUARY | FLPmungy | magch | APRIL | May | J19\％ | Juny | Aucust | SEPTPMEA | OCTOBEA | MOVPMER | DECEARER |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| －／8uas | A1 |  |  |  |  |  |  |  | L／P | CC PL 1舁 $x$ | 1R $\times 2$ W8 SP $\times 2$ |  | 17 K 2 พท X 4 |
| － | A2 | $\begin{array}{ll} 18 & x \\ 00 & 11 \\ \text { ge } & 12 \\ \text { in } & 18 \end{array}$ | $\begin{aligned} & \text { IR } X 4 \\ & \text { HN } X 4 \end{aligned}$ |  |  |  |  |  |  |  | 2／7 | CC <br> FL <br> 1月 X 4 | $\begin{array}{ll} \text { IR } & \times 4 \\ \text { WD } & \times 2 \\ s F & \times 2 \end{array}$ |
| － | A3 | $\begin{aligned} & 10 \times 8 \\ & 80 \times 2 \\ & 8 p \times 2 \end{aligned}$ | $\begin{array}{ll} \text { Im } & x 8 \\ \text { H } & x 1 \\ \text { SP } & \times 2 \\ \text { HV } & x 8 \end{array}$ | $\begin{aligned} & 18 \times 2 \\ & \text { MY } \times 4 \end{aligned}$ |  | － |  |  |  |  |  | L／P | $\begin{aligned} & \text { CC } \\ & \text { PL } \\ & \text { IA } \mathrm{XA} \end{aligned}$ |
| 餅 IMAAL | $\lambda$ | $\begin{aligned} & 19 \times 4 \\ & 80 \times 1 \\ & 8 p \times 2 \end{aligned}$ | $\begin{array}{ll} 19 & x 4 \\ \text { Y } & \times 1 \\ \text { SP } & \text { Y2 } \\ \text { HV } & \end{array}$ |  |  | IT ${ }^{\text {IV }} \times 1$ |  |  | N／E L／P | $\begin{aligned} & \text { CC } \\ & \text { T/PL } \\ & \text { 1 X } \end{aligned}$ | 18 $x 1$ พ1 $\times 2$ SP XZ | 1R X WD $\mathrm{X2}$ xa | $18 \times 4$ W0 $x$ $3 P \times 2$ |
| ETHALS | ． |  | $\begin{aligned} & N / E \\ & L / P \end{aligned}$ | $\begin{aligned} & C C \\ & T / P L \\ & \text { if } x 8 \end{aligned}$ | $\begin{aligned} & \text { In } \times 1 \\ & \text { w } x 2 \\ & s p \times 2 \end{aligned}$ |  | 11 W0 $\times 1$ $\mathrm{gP} \times 2$ | $\begin{aligned} & 10 \\ & \text { wi } \\ & \text { wi } \\ & \text { sp } \\ & \text { x2 } \end{aligned}$ | $\begin{aligned} & 10 \times 4 \\ & \text { YD } \times 1 \\ & s p \times 2 \end{aligned}$ |  | $\begin{aligned} & 1 R X 4 \\ & \text { WO } Y 1 \\ & S P X 2 \\ & \text { WY X8 } \end{aligned}$ | $12 \times 4$ <br> $18 \times 1$ <br> SP XZ <br> HV $x$ | IR X2 HV $\times 1$ |
| CN109 | A | $\begin{aligned} & \text { 1月 } 89 \\ & \text { WD } \mathrm{El} \\ & \mathrm{SP} \times 1 \end{aligned}$ | $\begin{aligned} & \text { 1f } x 8 \\ & \text { wD } x 1 \\ & \text { sp } x 1 \end{aligned}$ | HV |  |  |  |  |  |  | $\begin{aligned} & N / E \\ & L / P \end{aligned}$ | CC T／PL | $\begin{aligned} & \text { IP } \mathrm{X4} \\ & \text { WD } \mathrm{XZ} \\ & \mathrm{SP} \times 2 \end{aligned}$ |
| OH0 | B |  |  |  | $\begin{aligned} & N / E \\ & L / P \end{aligned}$ | CC T／PL 18 $\times 4$ | 11 $\times 1$ WD $\times 2$ SP $\mathrm{X}^{2}$ | 1月 $\times 8$ （10） 82 SP 82 | 18 $\times 8$ $1 \mathrm{H} \times 2$日 8 x 1 | $\begin{aligned} & \text { IR X2 } \\ & \mathrm{HV} \end{aligned}$ |  |  |  |
| C／L | $\lambda$ | $14 x 8$ <br> $4{ }^{10}$ <br> SP／DS <br> HV（R）X | If x ㅇ <br> wD XI sp／Ds HV（K）$\times 8$ |  |  |  |  |  |  |  | $\begin{aligned} & \text { N/E } \\ & \mathrm{L} / \mathrm{P} \end{aligned}$ | CC <br> T／PL <br> 1R $\% 8$ | IR $\times 1$ WD $\times 2$ SP／DS |
| C／T | B |  |  |  |  | $\begin{aligned} & \mathrm{N} / \mathrm{E} \\ & \mathrm{~L} / \mathrm{P} \end{aligned}$ | CC T／PL 1 1月 $\times 1$ | 12 $\times 8$ <br> sp／as | 1月 xa <br> W0 $\times 2$ <br> 8P／08 <br> NV（K）X4 | $\begin{aligned} & \text { IR X8 } \\ & \text { WD XI } \\ & \text { SP/ DS } \\ & \text { HVIKIX8 } \end{aligned}$ | $\begin{aligned} & \text { In X4 } \\ & \text { HV }(X) x \& \\ & H V(C) \end{aligned}$ |  |  |


|  |  | SANUARY | FEBRUARY | MARCH | APR1L | may | JINE | Juty | August | SEPTEABER | Octorea | novender | DECEMBER |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| тои大TO | A | $\begin{aligned} & \text { in XP } \\ & \text { wo } X 2 \\ & \text { SP } X 2 \\ & \text { STK } \end{aligned}$ | $\begin{array}{ll} \text { 1R } \times g \\ \text { wo } & \times 1 \\ \text { SP } & \times 2 \\ \text { HV } \times 4 \end{array}$ |  | HV $\times 4$ |  |  |  |  |  | $\begin{aligned} & \mathrm{N} / \mathrm{E} \\ & \mathrm{~L} / \mathrm{P} \end{aligned}$ | CC <br> T／PL <br> IR $\times 4$ | $\begin{array}{ll} \mathrm{IP} & \mathrm{X4} \\ \mathrm{WD} & \mathrm{x2} \\ \mathrm{gP} & \mathrm{K2} \end{array}$ |
| conato | E |  |  |  | $\begin{aligned} & N / E \\ & L / P \end{aligned}$ | CC <br> T／PL <br> IR X4 | $\begin{array}{ll} 18 & \times 8 \\ M D & \times 2 \\ 8 P & \times 2 \end{array}$ |  | $\begin{aligned} & \text { IR } \times 8 \\ & \text { WD } \times 1 \\ & \text { SP } \times 2 \\ & \text { HV } \times 4 \end{aligned}$ | $\begin{array}{ll} \text { IR } & \times 8 \\ \text { WD } & X 1 \\ \text { SP } & \times 2 \\ \text { HY } & X 8 \end{array}$ | $\begin{array}{ll} 10 & x 4 \\ \text { M } & x \end{array}$ |  |  |
| TTWWEL |  | $\begin{aligned} & 10 \times 4 \\ & \text { WD } \times 1 \\ & \text { SP } \times 2 \\ & \text { HV } \times 8 \end{aligned}$ | $\begin{aligned} & \text { IR } \times 4 \\ & \text { WD } x 1 \\ & \text { SP } x 2 \\ & \text { WV } x 8 \end{aligned}$ | IR in X4 | L／P | $\begin{aligned} & C C \\ & P L \end{aligned}$ | $\begin{aligned} & \text { IR } \times 4 \\ & \text { MD } \times 2 \\ & \text { is } \mathrm{XA} \end{aligned}$ | $\begin{array}{ll}18 & \text { X } \\ \text { rid } \\ \text { x2 }\end{array}$ | If w x1 | $\begin{aligned} & \text { IR } \times 4 \\ & \text { WD } \times 1 \\ & \text { sp } \mathrm{XI} \end{aligned}$ | $\begin{aligned} & \text { IR } X 4 \\ & \text { WD } X 1 \\ & \text { SP } X 2 \\ & \text { IN } X 4 \end{aligned}$ | $\begin{aligned} & \text { IR X4 } \\ & \text { WD } X 1 \\ & \text { SP } X 2 \\ & \text { WV } X 4 \end{aligned}$ | $\begin{array}{ll} \text { IR } & X 2 \\ W D & X 1 \\ S P & X 2 \\ \text { HV } & X 8 \end{array}$ |
| CHOLA | A | $\begin{array}{ll} 1 R & X 4 \\ W D & X 1 \\ S P & X 2 \end{array}$ | $\begin{aligned} & \text { If XR } \\ & \text { SP X2 } \\ & \text { HV XB } \end{aligned}$ | $\begin{aligned} & \text { 18 } \times 4 \\ & \text { HV } \times 8 \end{aligned}$ |  |  |  |  |  |  | L／P | $\begin{aligned} & C C \\ & \text { PL } \\ & \text { IR XA } \end{aligned}$ | $\begin{aligned} & 1 R \times 4 \\ & \text { WD } \times 2 \\ & S P \times 2 \end{aligned}$ |
| croen | B |  |  |  |  | 1／P | CC PL IR Xg | 1月 $\times 8$ wi $\times 2$ SP $\times 2$ | $\begin{aligned} & \text { IR } \times 8 \\ & \text { wo } \times 1 \\ & \text { SP } \times 2 \\ & \text { HV } \times 8 \end{aligned}$ | If $\times 8$ SP $\times 2$ | $\begin{aligned} & 1 \text { XA } \\ & \mathrm{KV} \mathrm{xa} \end{aligned}$ |  |  |
| Majze | A皃 | WD 1 | HV 1 | HV 1 <br> L／P 2 <br> PL 2 | $\begin{aligned} & \text { FI } 2 \\ & \text { WO } 2 \end{aligned}$ | W 2 | W0 2 | HV 2 | HV 2 |  | $\begin{array}{ccc} \text { L/P } \\ \text { PL } & 1 \end{array}$ | $\text { PL }{ }^{1} 1$ | W0 1 |
| BENS | 1／8 | HV 1 | HV 1 | L／P 2 <br> PL 2 | $\begin{aligned} & \text { PL } 2 \\ & \text { WD } 2 \end{aligned}$ | W0 2 | HV 2 | HV 2 |  |  | $\begin{aligned} & \text { L/P } 1 \\ & \text { PL } 1 \end{aligned}$ | $\begin{array}{ll} \text { PL } 1 \\ \text { WD } 1 \end{array}$ | WD 1 |
| PICEOM | Pras | W0 |  |  | W0 | WD |  |  | MV | HV | $\begin{aligned} & \mathrm{L} / \mathrm{P} \\ & \mathrm{PL} \end{aligned}$ | $\begin{gathered} \mathrm{L} / \mathrm{P} \\ \mathrm{PL} \end{gathered}$ | WD |

ment：N／E REPRESPNTE NURSPOY ESTABLISHYDNT
L／P QEPQESENTS LANO PMEPARATION．
F／PR REPRESENTS TRANSPLANTING．
REPRESENTS PLANTING．
REPRESENTS CANAL CLEARING．
REPRESENTS IRPICATICN．
REPRESENTA WERDING．
日EPRES
REPAES BNTS gPRAYING：
REPRESENTS STAKING．
STK REPQESENTS STAKING．
HV MEPRESENTS HARVESTING
C／K PEPRESENTS CABRMGE OM／AND KALE
MULTIPLICATION SICN MNO INDICATES THE \＆UMBEA OF TIMES AN OPERATION IS DONE

APPE 01X 3
THE VALUE AT WHICH A NONBASIC VARIABLE ENTERS THE SOLUTION FOR THE VARIOUS OPTIMAL FARM PLANS MAPIAELE CMRENT ENTERING VALUE

|  | $\frac{\text { yolene }}{50515}$ | $5 \times 1 \frac{1}{524} .71$ | $5712$ | $\frac{G F M 3}{51627}$ | KAFM 1 |  | KR PM 3 |  | $\frac{\text { KLTM } 1}{516247}$ | $\text { KLFM } 2$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| KANEIA | 50364 | 53360.95 | 56654.38 | 56980.17 | 110931.4 |  |  | 136976.1 | 56980.23 | 1461.3 |
|  | 30604 | 43344.42 | 45438.12 | 45508.57 | 61669.39 | 62730.21 | 66978. 15 | 66978. 15 | 45509.57 | 51722.34 |
| 50nil | 30604 | 45950.20 | 42414.76 | 42417.27 | 56419.41 | 57323.32 | 66971.14 | 66978.15 | 42417.27 | 53951.92 |
| tulia a | 30687 | 38663.27 | 46023.84 | 16174.60 | 59734.55 | 60679.6 | 62268.5 | 62268.19 | 46174.64 | 45707.03 |
| Tulia 8 | 30687 | 46547.77 | 11809.39 | 41767.72 | 53492.15 | 54250.93 | 62268.5 | 62268.5 | 41767.67 | 53140.13 |
| Yhicer A | 45202 |  |  |  | 55467.25 | 56314.95 | 64662.16 | 64662.16 |  | 51487.95 |
| yhlome | 15202 |  |  |  | 61957.38 | 62998.95 | 64662.16 | 64662.16 |  | 53990.7 |
| CHCLA | 12764 | 51972.31 | 52111.11 | 51851.29 | 63837.44 | 64797.07 | 52945.46 | 52845.45 | 51951.32 | 59825.65 |
| CHVCA | 12764 | 56336.60 | 40995.05 | 40592.26 | 47509.17 | 47970.37 | 52945.45 | 52845.45 | 10592.27 | 62112.36 |
| crese $A$ | 41619 | 47980.84 | 44240.40 | 45134.59 | 89725.34 | 92467.84 | 133947.3 | 133947.3 | 45334.83 | 71462.81 |
| Orea ${ }^{\text {P }}$ | 41619 |  | 51219.27 | 51166.71 | 99005.81 | 102025.7 | 133947.3 | 133947.3 | 51866.73 | 65673.84 |
| P/atans 44 | 20959 | 58599.99 | 68732 | 69124.72 | 143008.2 | 147795.7 | 169945.9 | 20959.01 | 69124.73 | 97636.73 |
| P/atans as | 20959 | 52256.85 | 59403.99 | 60025.99 | 130999. | 135421 | 169945.9 | 20959.01 | 60025.80 | 88540.09 |
| P/amens mi | 20959 | 48862.59 | 60768.56 | 61166.97 | 127485.6 | 131909.2 | 169945.9 |  | 61467.09 | 93519.63 |
| P/BEaNs B2 | 20959 | 56743.51 | 56722.52 | 57210.50 | 121063.6 | 126019.1 | 169945.9 | 20959 | 57218.45 | 91499.83 |
| F/beans B3 | 20959 | 71233. 81 | 57368.19 | 57450.97 | 121863.6 | 126019.1 | 169945.9 | 20959 | 57450.98 | 107721.5 |
| FidCans Al | 20959 | 57723.18 | 50126.21 | 50508.34 | 112583.1 | 116461.4 | 169945.9 | 20959 | 50608.26 | 91816.95 |
| F/bens 27 | 20959 | 51250.44 | 52727.23 | 53415.10 | 112593.1 | 116161.4 | 169945.9 |  | 53415.08 | 82323.7 |
| F/bEMs A. 3 | 20959 | 50732.11 | 52536.70 | 63172.15 | 125666.7 | 129935.9 | 169945 . | 20959.01 | 63172.29 | 84500.63 |
| Bimata | 34104 | 49979.65 | 47876.08 | 47830.18 | 67561.52 | 68942.52 | 78338.6 | 28338.61 | 47830.93 | 61785.33 |
| Bathanas | 34104 | 47936 | 46853.50 | 46879.06 | 69566.43 | 71007.34 | 78338.661 | 78338.68 | 46878.6 | 60210.53 |
| amicoss A | 27409 | 45922.66 | 45172.23 | 45293.50 | 66655.16 | 68042.66 | 11012.71 | 81012.71 | 45283.55 | 57535 |
| Ontons B | 27409 | 35454.79 | 43843.30 | 44254.97 | 65394.33 | 66744.17 | 81012.72 | 81012.71 | 44254.98 | 45694.55 |
|  | 26170 | 41512.14 | 41466.86 | 11564.73 | 51919.72 | 52636.47 | 626188.71 | 62688.71 |  | 27734.73 |
| KALE 8 | 26170 | 19538.47 | 41567.06 | 41719.83 | 53759.28 | 54531.01 | 62689.71 | 62688.72 | 26325.07 |  |
| Exsmenes A | 38227 |  |  |  |  |  |  |  |  |  |
| Eabenge B | 19227 |  |  |  |  |  |  |  |  |  |
| TOAMTOES A | 31205 | 59693.99 | 63080.46 | 62760.52 | 94741.08 | 97022 | 195304.02 | 85304.03 | 62760.58 |  |
| Tonatoes B | 31205 | 63518.75 | 45669.47 | 45314.22 | 68119.16 | 69604.36 | 105304.02 | 85304.02 | 45314.27 |  |
|  | 32712 | 47359.63 | 50197.31 | 56757.72 | 60669.38 | 61569.21 | 56419.13 | 56449.13 | 50757.75 | 53050.12 |
| MAIzE A | 2626 | 7586.559 | 7268.244 | 7334.843 | 14470.62 | 15173.65 | 21520.2 | 21520.2 | 7334.849 | 11033.89 |
| Malze | 2440 | 1959.993 | 4956.455 | 5018.762 | 12141.85 | 12354.6 | 15660.5 | 15660.5 | 5018.756 | 0112.495 |
| beas a | 4518 | 6535.564 | 6628.221 | 6677.101 | 10228.18 | 10736.37 | 16108. 31 | 16108.31 | 6677.086 | 8380.635 |
| Beans | 3757 | 4854.598 | 5921.35 | 5864.709 | 14326.3 | 14617.3 | 16691.94 | 16691.94 | 5864.71 | 9660.411 |
| PIPEAS | 5661 |  |  | 5789.135 |  |  | 14145.17 | 14145.17 | 5789.127 |  |
| MAIEE-BEANS. |  |  |  |  |  |  |  |  |  |  |
| P/ PRAS | 8610 | 9541.743 |  |  |  |  |  |  |  |  |
| Maszerseava ${ }^{\text {a }}$ | 5997 |  |  |  |  | 6279.009 | 1175.127 | 8175.127 |  |  |
| MAIIE-BENNS | 3977 | 4074.215 | 4948.664 | 4977.981 | 10971.85 | 11000.22 | 11967.69 | 11967.68 | 4977.972 | 7532.847 |
| MAIzEPP/PEAS | 8173 |  |  |  |  |  |  |  |  | 8182.232 |
| TGOHILIEAA | 41329 | 52156.23 | 54087.20 | 53932.93 | 76383.38 | 77987.85 | 75142.11 | 75142.42 | 53933 | 65163.9 |
| Ticaillies 8 | 41329 | 57586.06 | 44041.91 | 43776.86 | 61666.91 | 62931.55 | 75142.41 | 75142.41 | 43776.84 | 69019.9 |
| B'Cullulter | 49973 | 55504.08 | 58020.72 | 51114.38 | 100904.9 | 103787.6 | 118513.9 | 118513.9 | 58114.41 | 79247.87 |
| B'CMILLIEA | 49973 | 60115.06 |  |  | 89206.17 | 91739.13 | 118513.9 | 118513.9 |  | 82566.9 |
| L/CHILLIEA | 36193 | 51489.16 | 53178.47 | 53065.46 | 76037.88 | 77659.57 | 77332.64 | 77332.63 | 53065.49 | 64675.39 |
| いCHILLIEA | 36193 | 56390.32 | 44282.43 | 44068.50 | 63057.62 | 64291.35 | 77332.63 | 77332.61 | 44068. 54 | 68222.46 |
| -/ H/JAREAAY | -3.33 |  |  | 6.0974 | 26.92477 | 28.26255 | 42.10369 | 42.40369 | 6.097426 | 16.00459 |
| 2/GifEPaUary | -3.33 |  |  | 1. 14145 | 26.92477 | 20.26255 | 4240369 | 42.40369 | 1.448416 | 16.0046 |
| L/H/MARCH | -3.33 |  |  |  | 6.255561 | 6.975582 | 42.10 .369 | 42.1037 | - | 0.3477783 |
| L/M/MPMIL | -3.33 |  |  | 6.0974 | 26.92477 | 20. 26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| $\square$ /иimay | -3.33 |  |  | 6.0974 | 26.92477 | 28.26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| L/f1/rine | -3.33 |  |  | 6.0974 | 26.92477 | 28.26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| L/H/JuLy | -3.33 |  |  | 6.0974 | 26.92477 | 28. 26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| LMIAUCUST | -3.33 |  |  | 6.0974 | 26.92477 | 20. 26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| L/M/SEPT ${ }_{\text {cher }}$ | -3.33 |  |  | 6.0974 | 26.92477 | 20. 26255 | 42.10369 | 42.10369 | 6.097426 | 16.00459 |
| - M/ 1 CTOAE | -3.33 |  |  | 5.8204 | 26.92477 | 20.2625 | 42.10369 | 42.10369 | 5.020314 | 8.0045 |
| -im/moveram | -3.33 |  |  | 6.0974 | 26.92477 | 20.26255 | 42.40369 | 42.40369 | 6.097426 | 16.00459 |
| L/N/DECEmem | -3.33 |  |  | 6.0974 | 26.92477 | 28.26255 | 42.40169 | 42.40369 | 6.097532 | 16.00459 |



APPENDIX 4
SUCTR AND SURPLUS: GENERAL PARM MODEL $1:$

| NSTRAIN |  | PESORPCE | TYPE |
| :---: | :---: | :---: | :---: |
| 54ctenem | Labouz | 28.6 | STrack |
| April | Labour | 562.4964 | Slack |
| May | Labour | 237.1272 | slack |
| Junt | Labour | 231. 3456 | slack |
| Anguet | Labour | 251.2395 | slack |
| Noverber | Labour | 41.0170 | slack |
| Decerber | Labour | 114.8659 | glack |
| 3uly | Labour | 100.6576 | glack |
| Uaizt.L. | acason | .2128227 | slack |

Onirr.L. mepresenta Unirrigated Land


Note：The figures in Appendi $x 7$ show how much a value can vary without changing the solution．


|  |  | GENERAL FA | 4 model 1 | GENERAL PA | 9 MOOEL 2 |  | तापती |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | S OF RESOUACE | $\frac{\text { Run RJucte }}{523.2101}$ | $\begin{aligned} & \text { 97EA RANGE } \\ & \hline 53.7631 \end{aligned}$ | $\begin{aligned} & \text { RDAFIE } \\ & \frac{75.1361}{} \end{aligned}$ | $\begin{aligned} & \text { RMYGH NAN: } \\ & \text { TE }+38 \end{aligned}$ |  | 12.38 |
| Premonay Laboú | 536 | 467.2479 | 577.1937 | 451.0863 | 537.1361 | 487.8601 | 569.0107 |
| march labour | 577 | 274．8385 | 623.0788 | 571.6015 | 686.0398 | 490.1346 | 689.5555 |
| APIIL LABOU号 | 797 | 234.5036 | 18＋38 | 469.4817 | 1E＋38 | 451.0974 | 12＋38 |
| HAy Lasoum | 577 | 339.8728 | 1E．38 | 248．3715 | 18．38 | 241.1552 | 12638 |
| ruit caboun | 577 | 338．6544 | 1E＋38 | 372.1094 | 12．38 | 345.2374 | 18438 |
| JHLY LABOOM | 577 | 476.3424 | $1 \mathrm{E} \cdot 38$ | 426.6237 | 1E＋38 | 352.6248 | 1E438 |
| avcust laboun | 906 | 647.7605 | 1E． 38 | 5749393 | 18．38 | 521.1868 | 1E＊38 |
| SEPTEMEE LNAOUR | 577 | 548．4335 | 12．38 | 507.809 | $1 \mathrm{E}{ }^{3} \mathrm{~B}$ | 502.29 | 18.38 |
| Octoeder laboum | 577 | 543.2275 | 594.7565 | 573.5128 | 619.0173 | 562.1559 | 610.3076 |
| MCMTBER LABOUM | 577 | 535.983 | $1 \mathrm{E}+38$ | 526.7675 | $1 \mathrm{E}+38$ | 517.9032 | 18.38 |
| DECEEBER LABOUR | 797 | 682.1341 | $1 \mathrm{C}+38$ | 795.6779 | $1 \mathrm{C} \rightarrow 38$ | 762.8872 | $18+38$ |
| CAPITAL | 4561 | 3995.594 | 4730.711 | 4196.098 | 4591.285 | 4271.738 | 4929.15 |
| UnIEA．LAND A | 1.34 | 1.268487 | 1.681581 | 1.17 | 1．344425 | 1.17 | 1.469613 |
| UM1R月．LAND | 1.17 | 0.9571773 | 1E＊ 38 | 1.15648 | 1.34 | 0.9770833 | 1.34 |
| 1明．LAND A | 0.5 | 0.4786391 | 0.6458663 | 0.3942582 | 0.5380939 | 0.3731532 | 0.582672 |
| 10．LND | 0.5 | 0.4815007 | 0.553751 | 0.3168699 | 0.5180097 | 0.2925624 | 1.206451 |
| SUESISTENE MEO．0．75 |  |  |  | 0.7421905 | 0.9804581 | 0.5570833 |  |
| －40］ |  |  |  |  |  |  |  |
|  | UNIRAICATEO： FIMST SEASCN： | IR日. | pepaesmer 1 g | 1RRICATEO： |  | REQUIREMENT |  |
|  |  | B | SE | 2EASON： | ALQ REPRESENTS |  |  |  |

mote：The figures in the Appendix ahow range in which the aame variable remain in molution．
APPRNDIX 9
ILACX AND SUMPLUS：KARELA FARM MODEL
CONSTRAINT AESOUPCE


Dict－L．Represents Unirrigaced Land

## APPENIX 10

SIACT MND SURPLUS；KARBLIA FARH MODE 2：

| SWSTMAINT |  | IA FARM | 2： |
| :---: | :---: | :---: | :---: |
|  |  | PESOUNCE | TYPE |
| －xndery | Lehour | 195．361 | 518ck |
| February | Lebour | 106.6624 | Slack |
| apr 11 | Labour | 347.8201 | slack |
| my | Labour | 31.02 | slack |
| Sune | Lebour | 222.45 | Slack |
| July | Labour | 219.5365 | 81ack |
| Auguist | Lebour | 130.3669 | Slack |
| sopteber | Labour | 153．6805 | glack |
| october | Labaur | 63．77311 | slack |
| Novemer | Labour | 147．4366 | slack |
| Decembar | Labour | 168.0201 | Slack |
| Dafrr．L． 1 | meason | ． 2170849 | Elack |
| Dirtiz． 2 | cesson | 4．7004728－02 | slact |



| COMETTMAINT | gesounce | TYPR |
| :---: | :---: | :---: |
| Jmuary Labour | 270．202＇9 | SIECK |
| Pebruary Labour | 158．7320 | Slack |
| April Lebour | 344.2401 | Blac |
| May Lebour | 127．44 | glack |
| June Labour | 222.45 | slac |
| July Labour | 247.07 | slac |
| Auguar Labour | 182.34 | slac |
| seprember Labour | 100.12 | sld |
| actaber Labour | 115．058 ํㅠํ | slac |
| Moveber Labour | 167.8272 | Slac |
| Decenber Labour | 201.4668 | Slac |
| Onirz．L．10 meason | ． 1700001 | slack |
| 1r\％．L． $1^{\text {mix maxas }}$ | ． 2213724 | glack |
| March Libour | 15.74622 | slac |

there
Miry．L．Mepreaence Uniryigaced Land IrT．\＆a Irrigated Land

APPRDIX 12


APPDOIX 13
AMGE OF FEASIBILITY POR THE CONSTRAINTS POR KARELLA FARM MOOELS： 1.2 AND 3

| ONSTPAINT UNITS | Of PESOUACE | KARELLA FARM MODEL I |  | KARELLA FARM MODEL 2 |  | KARELIA PARM MODEL 3 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Semor Droup | 37 | 432.8185 | TEOS | 380.539 | TE． 38 | 305．737 | TE． 88 |
| P PRMUNRY LABCtm | 516 | 502.0055 | 1E．38 | 429.3376 | 18.38 | 377.2672 | 1E＋38 |
| mach Lasotm | 577 | 540.3237 | 617.9296 | 540.96 | 597.5237 | 561.2538 | 1E－38 |
| APMIL LABOUM | 797 | 428.1826 | 18．38 | 449.1799 | 1E．38 | 452.76 | 12.38 |
| may Lamod | 597 | 216.1836 | $1 \mathrm{E} \cdot 38$ | 245．98 | 18．39 | 249.58 | 12．38 |
| תuTE LNBOUA | 577 | 296.75 | $12 \cdot 38$ | 354.55 | 18．38 | 354.55 | 12．38 |
| JEY Lamoun | 577 | 290.3187 | 12．38 | 357.4634 | 18.38 | 329.91 | 1E＊38 |
| nucust laboun | 906 | 485.1059 | 12．38 | 475.6331 | 18．38 | 523.66 | 18．38 |
| SEPTEMEA LABCUM | 577 | 423.4672 | 12．38 | 423.3195 | 18.38 | 476.98 | 1E．38 |
| cctoaer laboum | 577 | 552.2906 | 12.38 | 513.2269 | 18．38 | 461.9412 | 12＋38 |
| MCNEPER［necum | 597 | 513.4951 | 1 1838 | 429.5634 | 12936 | 409.1728 | 12．39 |
| SECRMEER Lafotis | 797 | 727.1645 | 12．38 | 628.9799 | $1 \mathrm{E} \cdot 38$ | 595.5311 | 12．3日 |
| CAP1TAL | 4561 | 4504.603 | 4623.938 | 4391.103 | 4592．405 | 4024.76 | 4666.279 |
| Unf明．Lax ${ }^{\text {a }}$ | 1.34 | 1.250341 |  | 1.122915 | $1 \mathrm{E}+38$ | 1.17 | $1 \mathrm{E}+38$ |
| UNIRM．LNE B | 1.17 | 1.02786 | 1.254554 | 1.122915 | 18．38 | 0.75 | 1.227179 |
| 1期．LAND | 0.5 | 0.482955 | 0.5152738 | 0.4914946 | 0.5626807 | 0.2786276 |  |
| 193．LAND B | 0.5 | 0.4790349 | 0.5197866 | 0.4895185 | 0.5565947 | 0.4649305 | 0.6796277 |
| suesistencr mbo． | 0.75 | 0.6659199 | 0.8439423 | 0.6490195 | 0.7968766 | 0.33 | 1．184444 |
| ratetia a | 0.1 | 9．2597E－02 | 0.1082619 |  |  | $5.011255 \mathrm{E}-02$ | 0.112671 |
| ratera | 0.1 |  |  | 7．7136e－02 | 0.1036966 | 3．079092E－02 | 0.1234425 |
| WHEME |  |  |  |  |  |  |  |
| UN1县．PEPAESETT | UNIRAIGATED： | 1RR． | REPRESENTS | IRRICATED： |  |  |  |
| A MEPAESENTS | PIRST SEASON | B | hepreserns | secomb sers | N． |  |  |

mote: the 1 igures given in Appendix 13 show the range in which the game variables ramain in solution.
APPETIX 14


| CONSTMAINT |  | pesource | TYPE |
| :---: | :---: | :---: | :---: |
| उEun'y | Labour | 732.44 | SJuck |
| April | Libour | 353.5792 | Slack |
| Nay | Labour | 337.6997 | slack |
| Juna | Labour | 246.9766 | slack |
| July | Labour | 247.2646 | slack |
| Auguat | Libaur | 411.0991 | slack |
| Seprember | Lebour | 101.1185 | slack |
| Novedber | Labour | 69.27559 | slack |
| Deceber | Labour | 19.27354 | Slack |
|  | APPEREIX | 16 |  |
| SLACT AND | Sumplde: RALE | FARM MODEL |  |
| CNSTTAINI |  | RESOURCE | TYPE |
| -mary | Labour | TMOEAT3 | STrick |
| Apris | Labour | 312.6632 | slack |
| May | Labour | 339.2202 | slack |
| June | Lebbour | 271.4722 | slack |
| July | Labour | 232.5828 | glack |
| Auguex | Labour | 419.0883 | slack |
| Seprembar | tabour | 146.2046 | slack |
| Novenber | Labour | 94.38178 | slack |
| Secember | Labour | 75.25929 | slack |
| Unirr. L. | $1^{\text {at }}$ selason | 02306132 | slack |
| Eebruary | Labour | 12.21989 | slack |

APPPIOIX 17
PANGe OF FEASIBILITY POR THE GASIC VARIABLES POR THE PAENCH BEANS PARM MODEL NND THE RALE PARM MODELS 1 ANO 2


APM ROIX 18 O FEASIBILITY OF THE CONSTRAINTS POR THE FRENCH BEANS FARH MODEL AND TME KALE PARM MODELS＂ 1 ANO ？

|  |  | FRENCH BEA | FARM MODEL | KALE PAMM | OP1 1 | KALE FARM | OtL 2 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| SARTMAINT | UNITS OF 日ESOURCE | Kon konge | high phove |  |  |  | HIGH RANGE |
| mentur y yanour | 576 |  |  | $714.56$ | $12+38$ <br> 593 <br> 8.6816 | $\begin{aligned} & 76.1753 \\ & 521.701 \end{aligned}$ | E．JB |
| Fromemi y luroui | 536 | 472.5742 | 18．38 | 501．66 | 593.6816 | 523.71001 | 18．38 |
| mancte Labour | 577 | 425.5687 | 602.65 | 516.768 | 680.1317 | 514.6932 | 586.1934 |
| APMIL LABOOR | 797 | 515.1599 | 18．39 | 443.4208 | 12．38 | 484.3369 | 18．31 |
| may Uneorn | 577 | 231.2748 | 15430 | 239.3004 | 12＊3n | 237．7790 | 12．39 |
| Jut Labotin | 577 | 182.521 | 18．38 | 330.0234 | 18＊38 | 305.5278 | 12.38 |
| Jucy laioun | 577 | 94.94019 | 12＋38 | 329.7354 | 18．3 ${ }^{\text {c }}$ | 344.1172 | 1E．38 |
| ancur lancom | 906 | 199.1614 | 12＋38 | 494.9009 | 18＊3 | 416.9117 | 1E＋3角 |
| SERTEm碞 Latoun | 577 | 174.3813 | 12438 | 475.1815 | 18．38 | 430.7954 | 1E＊30 |
| OCTOAR Li Labcum | 577 | 319.5182 | 1E318 | 564.4271 | 600.0953 | 526.5449 | 584.9186 |
| MCNEMER LABOUT | 577 | 404.7565 | 12＊38 | 507.7244 | 18．38 | 492.61182 | 18.38 |
| בBCHMEEM LABCUR | 797 | 640.7665 | $1 \mathrm{E}+38$ | 742.7264 | 1E038 | 721.7417 | 1E．38 |
| CAPITM | 4561 | 4372.665 | 5573.465 | 4360.427 | 5059.214 | 4488.656 | 4587.369 |
| Jaldial LAND A | 1.34 | 1.17 | 18．38 | 1.17 | 1.508333 | 1.316939 | 18．38 |
| cisidal Land m | 1.17 | 1.085902 | 1.34 | 0．8952802 | 1.34 | 1.091579 | 1.328017 |
|  | 0.5 | 0．4428731 | 12＋39 | 0.3283152 | 0.5643071 | 0.4950263 | 0.531691 |
| 176．LNT 日 | 0.5 | 0.1627365 | 18．38 | 0.2764195 | 0.5293534 | 0.1941365 | 0.5373602 |
| Sussistmice meg． | 0.75 | 0.3300001 | 1．24369 | 0.4752802 | 1.136612 | 0.5949594 | 0.774333 |
| P／amat A | 0.1 | $8.5888 \mathrm{E}-02$ | 0.1758628 |  |  |  |  |
|  | 0.1 | 8． $3662 \mathrm{E}-02$ | 0.1943015 |  |  |  |  |
| raves |  |  |  | －0．126152 | 0.2 | 6．855E－02 | 0.1162309 |
| TCMatuts |  |  |  |  |  | 7．7658－02 | 0.1035082 |

Note：The ifgures given in Appendix 18 thow the range in which the same variablea remain in solution．

