Decadal rainfall variability modes in observed rainfall records over East Africa and their relations to historical sea surface temperature changes

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\textbf{S U M M A R Y}

Detailed knowledge about the long-term interface of climate and rainfall variability is essential for managing agricultural activities in Eastern African countries. To this end, the space–time patterns of decadal rainfall variability modes over East Africa and their predictability potentials using Sea Surface Temperature (SST) are investigated. The analysis includes observed rainfall data from 1920 to 2004 and global SSTs for the period 1950–2004. Simple correlation, trend and cyclical analyses, Principal Component Analysis (PCA) with VARIMAX rotation and Canonical Correlation Analysis (CCA) are employed. The results show decadal signals in filtered observed rainfall record with 10 years period during March–May (MAM) and October–December (OND) seasons. During June–August (JJA), however, cycles with 20 years period are common. Too much/little rainfall received in one or two years determines the general trend of the decadal mean rainfall. CCA results for MAM showed significant positive correlations between the VARIMAX-PCA of SST and the canonical component time series over the central equatorial Indian Ocean. Positive loadings were spread over the coastal and Lake Victoria regions while negative loading over the rest of the region with significant canonical correlation skills. For the JJA seasons, Atlantic SSTs had negative loadings centred on the tropical western Atlantic Ocean associated with the wet/dry regimes over western/eastern sectors. The highest canonical correlation skill between OND rainfall and the Pacific SSTs showed that El Niño/La Niña phases are associated with wet/dry decades over the region.

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\section{1. Introduction}

Decadal variations of extreme climate impact negatively on agricultural production resulting into massive losses amongst the affected communities and thus deleterious effect on the economy of Eastern African countries. Understanding the nature and causes of decadal fluctuations in climate system is an unresolved problem, partly because observed records are relatively short or sparse and because dynamical processes that operate on this time-scale have not firmly been understood. Over the region, much attention has been devoted to how and why precipitation varies in association with the El Niño-Southern Oscillation (ENSO) \citep{MUTEMI2003, INDEJE2000, OGALLO1988} at diurnal, seasonal and inter-annual time-scales. The impacts of persistent decadal climate anomalies have far reaching socio-economic implications due to persistent climate stress that they would impose on the regional socio-economic systems.

For example, decadal scale fluctuations are crucial because they control water supplies, affect biota, and may modulate higher-frequency events such as floods and droughts. Furthermore, low frequency natural variability is important in global climate change issues because it may obscure human influences on hydrological variations. Climate parameters have been observed in a global scale during the last several decades \citep{FOGT2006, WU2005, BECKER2010}. Examples of such variability include the North Atlantic Oscillations (NAO) phenomenon; drought in California, parts of Australia, or the Sahel and Eastern Africa. Their influences have been observed in lake level fluctuations and inter-annual rainfall records \citep{AWANGE2008}. Impacts of such decadal variability of extreme climate events would generally require more challenging mitigation strategies. Mitigation and adaptation to any of the climate anomalies would depend on the magnitude and duration of the persistence of the
anomalies. Mitigation and/or adaptation measures are likely to involve investment in infrastructure and changes in policy due to the potentially large magnitude of their effects.

Over Eastern Africa region, Omondi (2005), Schreck and Semazzi (2004), Nicholson (1996, 1998, 2000) have shown some evidence of decadal climate variability in the observed rainfall records. Using Climate Prediction Centre (CPC) Merged Analysis of Precipitation (CMAP) data and the Principle Component Analysis (PCA) method, Schreck and Semazzi (2004) investigated variability on the October to December (OND) rainfall over Eastern Africa region based on the period 1961–2001. They found that the most dominant mode (EOF1 explaining about 29% of variance) corresponds to ENSO climate variability. They associated the second empirical orthogonal function (EOF2 explaining about 14% of variance) to decadal trend mode. From their results, the long-term rainfall variability was characterized by positive anomalies over the northern sector of Eastern Africa and opposite conditions over the southern sector.

Several studies in the region on inter-annual variations of East African rainfall and their possible linkages to global Sea Surface Temperature (SST) changes have been undertaken (e.g., Indeje et al., 2000; Mutemi, 2003; Mutai, 2003; Owiti, 2005; Nyakwada, 2000). The main focus of these studies were especially on the relation between rainfall anomalies and SST perturbations over the equatorial Pacific and Indian Ocean basins, and to some extent, the Atlantic Ocean (Ogallo et al., 1988; Nicholson and Entekhabi, 1987; Mutai and Ward, 2000; Indeje et al., 2000; Saji et al., 1999; Goddard and Graham, 1999). These studies determine the dominant role played by the ENSO anomaly patterns in influencing the inter-annual variabilities of the equatorial East Africa rainfall (Ogallo et al., 1988; Indeje et al., 2000). Note that the zonal temperature gradient over the equatorial Indian Ocean, often referred to as the Indian Ocean Dipole Mode (IOD) (Saji and Yamagata, 2000a and Saji and Yamagata, 2000b), therefore, the coupled IOD-ENSO influence have also been linked to some of the wettest periods in the region, such as rainsfalls in 1961 and 2006 (Black et al., 2003; Black, 2004; Bowden and Semazzi, 2007).

In this paper, we present attempts made to examine decadal trend mode in observed East Africa rainfall records and its possible linkage to decadal patterns of global SST records. Our investigation extends the previous studies by considering a relatively longer period of rainfall data from 1920–2004 and global SSTs for the period 1950–2004 and studying their interactions within their overlap periods. We made use of advanced multivariate statistical analysis techniques such as VARIMAX-PCA and Canonical Correlation Analysis (CCA) which allow an in-depth investigation of possible correlations between decadal SST and rainfall variations.

The remainder of the paper is organized as follows: In the next section, we briefly describe the data and method used in the study. The trend results are presented in Section 3. Sections 4 and 5 summarize the main decadal patterns of rainfall and SST variabilities. The link between SSTs and decadal rainfall patterns over the region is discussed in Section 6. Section 7 gives a summary, the major findings and conclusion of the study.

2. Data and methods

2.1. Data

In this analysis, monthly observed rainfall data was obtained from IGAD Climate Prediction and Applications Centre (ICPAC), the Kenya Meteorological Department (KMD), Tanzania Meteorological Agency (TMA) and Uganda Meteorological Department (UMD). The observed monthly rainfall data used are from 38 stations (Fig. 1) unevenly distributed over East Africa (Omondi, 2005). Table 1 gives the station names, longitude and latitude while Fig. 1 the distribution of representative stations over the study region. Also used in the study are reconstructed Reynolds SST data obtained from the United States (US) National Oceanic and Atmospheric Administration (NOAA) official website1. The data are archived as the optimum interpolation (OI), version 2.

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1 http://www.esrl.noaa.gov/psd/data/gridded/data.ncep.oisst.v2.html.
Fig. 2a. Smoothed inter-annual MAM rainfall anomalies for Voi in Kenya.

Fig. 2b. Unsmoothed inter-annual MAM rainfall anomalies for Voi in Kenya.

Fig. 3a. Graphical plot of the smoothed anomalies for OND decadal rainfall variability over Eastern Africa.
**Fig. 3b.** Graphical plot of the smoothed anomalies for JJA decadal rainfall variability over western and coastal sub-regions.

**Table 2**

<table>
<thead>
<tr>
<th>Period</th>
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<th>Eigenvalue</th>
<th>Variance extracted (%)</th>
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</tr>
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</table>

**Fig. 4.** Spatial distribution of the mean decadal rainfall for MAM.

**Fig. 5.** Scree's test selection of dominant principal components for OND rainfall seasons.
global SST values on 1° by 1° grid points. The SST values include in situ and satellite SSTs observations plus those SSTs that are simulated by sea-ice cover. More on the SST data can be obtained from Reynolds and Marsico, 1993; Reynolds and Smith, 1994; Reynolds et al., 2002. To link rainfall to SSTs, the correlation window for both data is 1950 to 2004.

Fig. 6. Spatial and temporal patterns for EOF1 and PC1 (first row); EOF2 and PC2 (second row) and EOF3 and PC3 (third row) for OND decadal rainfall. Dashed/solid contours represent negative/positive values; contour interval is 0.2.

(a) OND DEcadAL RAINFALL (PC1)

(b) OND DEcadAL RAINFALL (PC2)

(c) OND DEcadAL RAINFALL (PC3)
2.2. Method

Since our attention is primarily on the lower frequency (long wave-length) variabilities, a 9-point binomial coefficient filter is employed to smooth both the rainfall and SST time series so that all fluctuations of period shorter than 10 years are considerably suppressed. A Graphical method is then used to extract decadal trend modes while Mann-Kendall and the Spearman rank tests were employed to test the significance of the observed trends.

The PCA method is a statistical signal extraction technique based on diagonalization of the auto-covariance or auto-correlation matrix of a data set (Wilks, 1995). In this study, the VARIMAX rotation version of PCA was applied to define dominant modes of variability of the low passed rainfall and SST series. The VARIMAX rotation is selected to improve the physical interpretation of the PCA modes and to derive more localized components (see, e.g., Richman, 1986). To define the relationship between the dominant modes of decadal rainfall variabilities and SST variations in the global oceans, the CCA technique was adopted. Unlike PCA, CCA is a statistical technique that identifies a sequence of pairs of patterns in two multivariate data sets and constructs sets of transformed variables by projecting the original data onto these patterns (Barnett and Preisendorfer, 1987; Wilks, 1995; Barnston and He, 1996; Von Storch and Zwiers, 1999; Mutemi, 2003). CCA, therefore, can be regarded as a multivariate statistical technique that calculates linear combinations of a set of predictors that maximizes relationships, in a least square sense, to the similarly calculated linear combinations of a set of predictand.

The patterns are chosen such that new variables defined by projection of the two data sets onto these patterns exhibit maximum correlation but are uncorrelated with the projections of the data onto any of the other identified patterns. The superiority of CCA over other several techniques is its ability to operate on full fields of information and to objectively define the most highly related patterns of predictor and predictand (Barnett and Preisendorfer, 1987; Indeje et al., 2000; Mutemi, 2003; Omondi, 2005; Nyakwada, 2009).

CCA goes beyond the limitation of the simple correlation analysis by taking into consideration the full space and time dimensions of the fields analyzed and this is an exceptional skill capability of the technique. It also gives an extensive set of diagnostics that offer some insight into the physical base of the relationships used to form the predictions. The advantages of CCA include ability to operate on full fields of information and to objectively define the most highly related pattern of predictors and predictand. Its capability to define both the space and time evolution of the predictor dataset that best predicts an associated pattern of a predictand is efficient compared to simple correlation technique.

Table 3

<table>
<thead>
<tr>
<th>Period</th>
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<td>80.0</td>
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</table>

Fig. 7. Scree’s test selection of dominant principal components for MAM rainfall seasons.

\[ v_m = a_m^T x = \sum_{i=1}^{m} a_{mi} x_i, m = 1, \ldots, \min(I,J); \]  

(1)

and

\[ w_m = b_m^T y = \sum_{j=1}^{m} b_{mj} y_j, m = 1, \ldots, \min(I,J); \]  

(2)

This construction of canonical variates is similar to that of the principal components \( v_m \) in that each is a linear combination of (a sort of weighted average) of elements of the respective data vectors \( x \) and \( y \). These vectors of weights, \( a_m \) and \( b_m \), are called the canonical vectors. One data- and canonical-vector pair need not to have the same dimension as the other. Therefore, in Eq. (1), vectors \( x \) and \( a_m \) each have \( I \) elements, while those of \( y \) and \( b_m \) in Eq. (2) have \( J \) elements each. \( m \) is the number of canonical pairs, so called ‘canonical variates’ that can be extracted from the two data sets. In practice, \( m \) is derived as \( m = \min(I,J) \).

The canonical vectors \( a_m \) and \( b_m \) are the unique choices that result in the canonical variates having the properties

\[ \text{corr}[v_1, w_1] \geq \text{corr}[v_2, w_2] \geq \cdots \geq \text{corr}[v_m, w_m] \geq 0; \]  

(3)

and

\[ \text{Var}[v_m] = a_m^T S_x a_m = \text{Var}[w_m] = b_m^T S_y b_m = 1. \]  

(5)

Eq. (3) shows that each of the \( m \) successive pairs of canonical variates exhibits no greater correlation than the previous pair. These correlations between the pairs of canonical are called the canonical correlations; \( r_m \). Eq. (4) states that each canonical variate is uncorrelated with all of the other canonical variates except its specific counterpart in the \( m \)th pair. Finally, Eq. (5) states that each canonical variate has unit variance.
Fig. 8. Spatial and temporal patterns for EOF1 and PC1 (first row); EOF2 and PC2 (second row) and EOF3 and PC3 (third row) for MAM decadal rainfall. Dashed/solid contours represent negative/positive values; contour interval is 0.2.
3. Results of the decadal trend modes

Some examples of patterns of the decadal rainfall trend for both the smoothed and unsmoothed time series obtained are shown in Figs. 2a and 2b respectively associated with the long rainy season of MAM.

The ten year cycles are clearly discernible in the smoothed series. These modes are better illustrated when the time series of smoothed series are plotted as anomalies (Figs. 3a and 3b). The trend mode for the third short rainfall season associated with JJA rainfall shows that western and coastal parts of the region receive substantial amount of rainfall, which unlike MAM and OND seasons, are dominated by twenty years cycles (Fig. 3b). The major decadal signals observed from the graphs indicated that for MAM seasons, the wet decades were 1921–1930, 1961–1970 and the late 1981–90 while the dry ones included 1931–1940, 1941–1950, 1951–1960, early parts of 1971–1980 and 1991–2000.

There were significant spatial variations in the observed decadal trend signals, with no noticeable decade with one specific dominant trend over the whole region. This could be attributed to the influence of regional and local factors including the existence of many large inland water bodies and complexity in the East Africa topography.

The short rainfall season of OND is the second major rain season for the region. The extreme events in one or two years within a decade influenced the general trend of the decadal mean rainfall. Example is the 1997/98 El Niño related floods that made 1991–2000 be a wet decade in most zones. The 1961/1970 decade was wet due to the heavy rainfall that was received over most parts of the region in 1961/1962 that resulted into the rise of Lake Victoria level by over 2.5 m (Yin and Nicholson, 1998; Nicholson, 1998; Phoon et al., 2004).

The major decadal signals observed for OND seasons were wet decades of 1931–1941, 1951–1961, 1971–1981 and 1991–2001 while the dry decades included 1941–1950, 1951–1960, 1961–1971, 1981–1991 and mid 1995–early 2001 (Fig. 3a). For the JJA seasons, the major decadal variability was relatively longer than ten years. The wet decades included 1951-mid 1961/1971 and mid 1981/1991-mid 1991/2001 while the dry ones included mid 1921–1951 and mid 1961/1971-mid 1981/1991 for the western parts of the region (Fig. 3b). The scenario was exactly opposite along the coastal region, i.e., the wet decades were generally 1921–1930, 1931–1940, 1961–1970, 1971–1980 while the dry decades were 1941–1950, 1951–1960, 1981–1990, 1991–2000. There was significant spatial variation in the observed trends (Fig. 4).

In order to establish whether the observed decadal trend and cyclic modes are significant, statistical tests on the differences amongst some decadal means and the Spearman rank were carried out (Maritz, 1981). A comparison of decadal means with the long-term seasonal rainfall means showed that the decades of 1921–1930 and 1961–1970 were generally wet while 1931–1940, 1951–1960 and 1991–2000 were generally dry during the long term rainfall (MAM) seasons of the study period. In order to establish whether there was existence of any spatially coherent decadal differences, the spatial patterns of the various means were plotted in Fig. 4. Large scale wet/dry cases were, however, evident for a few specific years. Similar to the MAM seasons as already stated, this could have been due to the influence of regional and local factors, e.g., including the existence of many large inland water bodies and topographical complexity in the region (Mukabana and Pielke, 1996; Anyah, 2005).

4. Results of VARIMAX-PCA analysis on rainfall

4.1. VARIMAX-PCA of OND rainfall

The VARIMAX-PCA method was applied on OND rainfall time series. According to the Scree, Kaiser’s criterion and North et al. (1982) sampling errors tests, the first five modes accounting for 81.3% of total OND rainfall variance are statistically significant (see Table 2 and Fig. 5).

For brevity, here, we only show the first 3 dominant modes of OND seasons in Fig. 6. The first mode is extended nearly in all parts

<table>
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Fig. 9. Scree’s test selection of dominant principal components for June–July rainfall seasons.
Fig. 10. Spatial and temporal patterns for EOF1 and PC1 (first row); EOF2 and PC2 (second row) and EOF3 and PC3 (third row) for JJA decadal rainfall. Dashed/solid contours represent negative/positive values; contour interval is 0.2.
of the region except the south-eastern segment of Tanzania (Fig. 6a). Schreck and Semazzi (2004) also found a remarkably similar distribution of EOF loadings, although their analysis covered slightly a bigger domain. The variance in EOF1 of Schreck and Semazzi (2004) was 28%, compared with 15.9% of our corresponding mode. This difference may be attributed to the larger region covered by their analysis. The corresponding PC time series (Fig. 6a, right) indicates some consistence with ENSO variability (so called ‘cold ENSO’ signal in Ogallo et al., 1988 and Indeje et al., 2000). According to PC1, the average cold ENSO events were pronounced in the decades 1980–1990 and this brought about general depressed rainfall in the region corresponding to the high peaks of the time series. The reverse condition is represented by PC2 in Fig. 6b with a dipole spatial pattern over the region. The third mode is related to the decadal trend mode (Bowden and Semazzi, 2007), showing positive mode over the north and south of Lake Victoria and a decrease mainly over the eastern coastal regions (Fig. 6c).

4.2. VARIMAX-PCA of MAM rainfall

We also applied VARIMAX-PCA on MAM rainfall seasons. Results of the Scree and North et al. (1982) test show that the first six modes accounting for about 80% of variance are statistically significant (see Table 3 and Fig. 7). Like in the previous section, we only show the first three dominant modes. Mode one (EOF1 and PC1) depicts the north–south rainfall dipole brought about by the movement of the Sun from one hemisphere to the other i.e. due to the Inter-Tropical Convergence Zone (ITCZ), while the second mode was related to the positive IOD mode and the decadal trend in EOF3 and PC3 (Fig. 8).

4.3. VARIMAX-PCA of JJA rainfall

Implementing VARIMAX-PCA on JJA seasons show that parts of the equatorial sector, covering northern Tanzania, western parts of East Africa and the coastal areas generally get rains. Fig. 9 and

<table>
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<td>Total variance</td>
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Fig. 11. The spatial patterns of the first 9-term binomial coefficient filtered SST PCA modes for the Indian Ocean.
Fig. 12. The spatial patterns of the first 9-term binomial coefficient of the filtered SST PCA modes for the Atlantic Ocean.

Fig. 13. The spatial patterns of the first 9-term binomial coefficient filtered SST PCA modes for the Pacific Ocean.
Table 4 indicate that seven PCA modes, accounting for about 93% of the total JJA variance, were significant.

Fig. 10a displays the spatial pattern for the study area in which EOF 1 explains 28.6% of the total JJA variance. The distribution of the loadings is characterized by moisture incursion from the Congo air basin causing wetness in the western sector of the region (Nyakwada, 2010). The corresponding time series exhibits both strong inter-annual variability and low-frequency background variability. PC 2 (Fig. 10b) showed positive loadings in most parts of the study area except some pockets of the eastern and western segments. PC 3 of JJA season showed (Fig. 10c) both positive and negative loadings evenly distributed over the sectors that experience much rainfall during this season. All the time series of these PCs depicted strong decadal variability of rainfall. Most parts of the southern segments in Tanzania are dry during this season. The evolution of the background variability has positive trend in 1980/1990 decade which reached its highest levels during the early 1998. There is indication of subsequent decline in the anomaly during the late 1990s and early 2000. Combined interpretation of the Regional-EOF1 distribution of loadings (Fig. 10a) and the corresponding time series suggests that the western sector of Eastern Africa had 1980/1990 decade wet while the southern sector drier. The southern sector during this season is usually dry and this could have resulted into the negative anomalies.

5. Results for S-mode VARIMAX-PCA analysis for the specific basins’ SST anomalies

This section presents the results of implementing the VARIMAX-PCA method on the SST records of some specific oceanic basins during OND, JJA and MAM seasons in order to compare the SST behaviours of these oceanic basins with the rainfall patterns over East Africa. The derived VARIMAX solutions are summarized in Table 5 and the derived spatial patterns are shown in Fig. 11. The first mode of VARIMAX-PCA derived from decadal SST of the Indian Ocean during OND seasons accounts for 38% of the total variance of SST. The positive loading is centred on the tropical equatorial Indian Ocean and the negative centre is located over the south-western Indian Ocean (Fig. 11a). The Indian Ocean EOF 1 for MAM (Fig. 11c), however, had a dipole structure like pattern of SSTs with positive centre near the Indo-Pacific area while negative centre located near the south-western Indian Ocean. The total variance accounted for this mode is 45.4% (Table 5).

Fig. 12a shows the spatial patterns for Atlantic Ocean during the same OND seasons. Generally, the equatorial basin of Atlantic shows positive loadings while its northern sector exhibits negative loadings with the highest variance of 64.1% during OND season. It is noteworthy that the OND season had the first and second variances taking nearly all the total variances (Table 5).

Fig. 12b indicates almost patterns in loading to Fig. 12a but with much stronger modes. The spatial patterns in Fig. 12c and d taking 32.5% and 39.7% respectively are generally similar to other patterns showing that the first dominant PC mode in all the four seasons is influenced by similar loading. This could be attributed to the strong and alternating north–south dipole pattern reflecting the known patterns of the Atlantic Tropical Dipole Oscillation (Chang et al., 1997). In the Pacific Ocean, the first dominant mode for the four seasons seems to have positive/negative loadings over equatorial eastern/western ocean basin regions (Fig. 13) that seem to reflect the ENSO variability mode (Ogallo et al., 1988; Indeje et al.,...
The first spatial pattern pair for canonical correlation between decadal MAM of the Indian SST and MAM rainfall; (a) correlation between the predictor (SST) and the canonical vector ($u$); (b) correlation between the predictant (rainfall) and canonical vector ($v$) and; (c) normalized temporal functions ($u$ and $v$) of the first CCA patterns for MAM of the Indian Ocean SST (lag zero).

The first spatial pattern pair for canonical correlation between decadal MAM Atlantic SST and JJA rainfall; (a) correlation between the predictor (SST) and the canonical vector ($u$); (b) correlation between the predictant (rainfall) and canonical vector ($v$) and; (c) normalized temporal functions ($u$ and $v$) of the first CCA patterns for rainfall and SST.
2000; Mutemi, 2003; Owiti, 2005). This dipole structure like pattern of SSTs has negative centre near the Indo-Pacific area while the positive centre was located near the eastern equatorial Pacific Ocean.

The results seem to reflect the El Niño/La Niña variability mode (Tanimoto et al., 1993; Trenberth and Hurrel, 1994; Mantua et al., 1997).

6. Results from canonical correlation analysis (CCA)

In this section, the strength and the sign of the corresponding patterns are described by the canonical correlation coordinates. The CCA method takes into account analysis of the full space and time dimensions of the two fields (rainfall and SSTs) which make it superior comparing to a conventional correlation analysis.

6.1. CCA results for MAM rainfall seasons

The average December–February (DJF), JJA and MAM SSTs from the various ocean basins were independently correlated with MAM rainfall time series. MAM is the major rainfall season for the region and the skill of its predictability is still very low. Three significant modes were discernible for the Indian Ocean basin with DJF and MAM SSTs.

The canonical modes accounting for about 72% and 86.8% respectively of the total variance were selected as inputs into the CCA model. Figs. 14 and 15 give examples of the CCA loading patterns for the DJF and MAM SSTs of the Indian Ocean respectively. An area of high significant positive correlation between the mentioned SSTs and the canonical component time series was evident over the central equatorial Indian Ocean (Fig. 14a). Similarly, there was significant correlation at most locations with positive loadings over the coastal and Lake Victoria regions and a negative loading over the rest of the region (Fig. 14b). The canonical correlation skill between rainfall and the predictor SST modes was about -0.79 (Fig. 14c). The canonical correlation score between rainfall and the predictor SST modes was 0.72 and 0.96 for one and zero lags, respectively. The canonical scores of the pattern with warm SST in the Indian Ocean were increasing since the mid 1970s whereas the negative coupling was decreasing. Power et al., 1998 in his analysis of decadal climate variability showed that decadal variability in Indian Ocean SST south of 40° is associated with rainfall variability over East Australia.

6.2. Results for JJA rainfall season

The averages of MAM and JJA SSTs from the various ocean basins were independently correlated with JJA rainfall. Figs. 16 and 17 depict loading patterns for the MAM and JJA SSTs of the Atlantic Ocean with JJA seasonal rainfall modes together with the corresponding temporal functions respectively. The negative loadings over the equatorial north-western and central Atlantic Ocean

![Image](a) CCA-1 June – August Atlantic Ocean SST

![Image](b) CCA-1 June – August Rainfall

![Image](c) CCA Model (Correlation = 0.87)

Fig. 17. The first spatial pattern pair for canonical correlation between decadal JJA Atlantic SST and JJA rainfall; (a) correlation between the predictor (SST) and the canonical vector (u); (b) correlation between the predictant (rainfall) and canonical vector (v) and; (c) normalized temporal functions (u and v) of the first CCA patterns for JJA SST (lag zero).
regions (Fig. 16a) are associated with the wet/dry regimes over western/eastern sectors of Eastern Africa (Fig. 16b).

The canonical correlation score between rainfall and the predictor SST modes was 0.72 for lag one and 0.87 for zero lag. Lag zero that had maximum weights over the Atlantic Ocean basin and was positively correlated with JJA over the whole of western and coastal regions of Kenya together with Uganda (Fig. 17b). Similar results have been derived by previous studies, including those of Preston (2005, Washington et al., 2003, Reason and Rouault (2004) over the Indian Ocean and South African rainfall.

6.3. Results for October–December rainfall season

The average JJA and OND SSTs from the various ocean basins were independently correlated with OND rainfall. Figs. 18 and 19 represent CCA loading patterns for JJA and OND of the Pacific Ocean SSTs and OND rainfall respectively. The highly negative loading over the equatorial eastern Pacific Ocean seems to be the major mode associated with the wetness in nearly whole part of the region with pocket of dryness conditions over southern parts that generally have unimodal rainfall regimes. The canonical correlation skill between OND rainfall and the predictor SST modes was 0.88 at lag one showing stronger influence of eastern Pacific to the region. Fig. 19 shows the CCA loading patterns for the OND rainfall and predictor of the Pacific Ocean SST modes at zero lag. The negative SST loading over the equatorial eastern Pacific Ocean is linked to the generally dry conditions in the region. The canonical correlation skill between OND decadal rainfall and the predictor SST modes is 0.97. Thus cold ENSO phase would be associated with depressed rainfall season over the whole region, while warm phase (El Niño) would be associated with enhanced decadal rainfall over most parts of the region.

7. Summary and conclusion

This study has provided some evidence of decadal variability in the inter-annual patterns of East Africa rainfall. The MAM and OND seasonal rainfall are dominated by 10 year cycles of wet and dry phases, while the JJA season showed 20 year cycles of wet and dry phases. Some teleconnections were also evident between the observed decadal rainfall variability patterns and SST variability modes over parts of the global oceans. The significant correlation between the rainfall and SSTs offers a useful indicator in predicting rainfall of the region at decadal time scale. Specifically, the study has shown that:

1. Trend analysis results showed that although no significant trend in the inter-annual patterns were discernible at many locations, too much or too little rainfall received in one or two years influenced the general trend of the decadal mean rainfall. Eight and one zones in OND and MAM showed significant positive trends during this period of study, respectively. For the JJA
season, when only the western and coastal parts of the region receive substantial amount of rainfall, no significant trends were observed although the decades after 1961 were wetter than before in these western regions but drier along the coastal regions. No decade was observed to have the whole region dominated by one specific trend mode during the period of study except 1931–1940 and 1961–1970 during OND seasons.

2. Results from CCA, applied independently on the average DJF and MAM SSTs from the various ocean basins and MAM rainfall, show that three significant modes were discernible. One area of high significant positive correlation between the SSTs and the canonical component time series was evident over the central equatorial Indian Ocean. Similarly, there was significant correlation resulting into wet coastal and Lake Victoria regions with the rest of the region found out to be dry.

3. The results from the average MAM and JJA SSTs correlated with JJA rainfall had negative loadings centred on the equatorial western and central Atlantic Ocean regions which were associated with the wet/dry regimes over western/eastern sectors of the region. Linkages between the Atlantic Ocean basin and Eastern Africa during JJA are largely influenced by the

space–time pattern of both zonal and meridional arms of the ITCZ.

4. The average JJA and OND SSTs with OND rainfall produced highly negative loading over the equatorial eastern Pacific Ocean that were associated with rainfall deficit in nearly the whole region but wet conditions over the southern parts of the region. The positive centre over the eastern equatorial Pacific Ocean, however, was associated with wet conditions in nearly all the region.

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